

**A Cryptographic Suite for Embedded Systems (SuiteE)
draft-campagna-suitee-04**

Abstract

This document describes a cryptographic suite of algorithms ideal for constrained embedded systems. It uses the existing IEEE 802.15.4 standard as a starting point, builds upon existing embedded cryptographic primitives and suggests additional elliptic curve cryptography (ECC) algorithms and curves. The goal is to define a complete suite of algorithms ideal for embedded systems.

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Table of Contents

- [1. Introduction](#) [3](#)
- [2. Encryption](#) [6](#)
 - [2.1. AES-CTR Mode](#) [6](#)
 - [2.2. AES-CBC-MAC Mode](#) [7](#)
 - [2.3. AES-CCM* Mode](#) [7](#)
 - [2.3.1. AES-CCM* Encrypt](#) [8](#)
 - [2.3.2. AES-CCM* Decrypt](#) [10](#)
- [3. Deterministic Random Number Generator](#) [13](#)
 - [3.1. CTR_Update](#) [13](#)
 - [3.2. CTR_Init](#) [14](#)
 - [3.3. CTR_Generate](#) [15](#)
- [4. Hash](#) [16](#)
 - [4.1. Prefix-Free Encoding](#) [16](#)
 - [4.2. MD-strengthening](#) [16](#)
 - [4.2.1. MD-strengthening-1](#) [17](#)
 - [4.2.2. MD-strengthening-2](#) [17](#)
 - [4.2.3. MD-strengthening-3](#) [18](#)
 - [4.3. MMO Construction](#) [18](#)
- [5. Key Derivation Function](#) [19](#)
- [6. Curve Selection](#) [20](#)
 - [6.1. SECT283K1 Curve Parameters](#) [21](#)
- [7. Elliptic Curve Signatures with Partial Message Recovery](#) [22](#)
 - [7.1. Message Encoding and Decoding Methods](#) [22](#)
 - [7.1.1. Message Encoding](#) [22](#)
 - [7.1.2. Decoding Messages](#) [23](#)
 - [7.2. Elliptic Curve Pintsov-Vanstone Signatures \(ECPVS\)](#) [23](#)
 - [7.2.1. Signature Generation](#) [24](#)
 - [7.2.2. Signature Verification](#) [24](#)
- [8. Elliptic Curve Implicit Certificates \(ECQV\)](#) [26](#)
 - [8.1. Certificate Request](#) [26](#)
 - [8.2. Certificate Generation](#) [27](#)
 - [8.3. Certificate Reception](#) [28](#)
 - [8.4. Certificate Public Key Extraction](#) [28](#)
- [9. Elliptic Curve Key Agreement Scheme](#) [30](#)
 - [9.1. ECMQV](#) [30](#)
- [10. References](#) [32](#)
 - [10.1. Normative References](#) [32](#)
 - [10.2. Informative References](#) [34](#)
- [Appendix A. Acknowledgments](#) [36](#)
- [Author's Address](#) [37](#)

Campagna

Expires April 15, 2013

[Page 2]

1. Introduction

Constrained embedded systems and in particular devices for wireless personal and body area networks (WPAN and BAN respectively), have unique computation, power and bandwidth constraints. These systems are seeing wider deployment in Smart Energy, Home Automation, Personal Home and Health Care, and more broadly the so-called Internet of Things. The environments in which they are being deployed require varying degrees of security.

The Cryptographic Suite for Embedded Systems (SuiteE) aims to optimally meet the wide variety of cryptographic requirements, by providing a compact and complete collection of cryptographic algorithms having minimal code space, computational requirements and bandwidth usage. Additionally the selection of these algorithms are tuned to minimize overall system costs in mass production by selecting easily embeddable algorithms which will further reduce code space, energy usage and increase computational performance. It is expected that this suite of algorithms can be used to provide security solutions in the 6lowpan and CoRE space.

Mass production economics see many benefits of placing fixed routines in hardware. The benefits are in code space, performance, battery life, and overall cost of the device. This is the fundamental reason why most IEEE 802.15.4 devices implement AES in hardware today. Considering the projected scale of the so-called Internet of things (Cisco estimates the smart grid alone to be 100 to 1000 times the size of the Internet today), efficiencies and cost savings realized in embedding more of the lower level operations in hardware transforms into a basic requirement - technology selection should afford benefits to embedding in hardware.

Many of the environments in which these new embedded systems are being deployed have a life expectancy of 20+ years. This requires the selection of key lifecycle management mechanisms at a security level adequate to deliver the desired security services for the lifespan of the system. [NIST57] provides recommendations on general key management and security levels. We summarize the comparable strengths table and recommended minimum sizes:

Campagna

Expires April 15, 2013

[Page 3]

Algorithm Lifetime	Security Strength	Symmetric Key Size	Integer Factorization Cryptography Key Size (e.g., RSA) Size	Elliptic Curve Cryptography (ECC) Key Size
Through 2010	80 bits	80	1024	160
Through 2030	112 bit	112	2048	256
Beyond 2030	128 bit	128	3072	256
>Beyond 2030	192 bit	192	7680	384
>>Beyond 2030	256 bit	256	15360	512

[NIST57] does not provide guidance on life span for security strengths for 192 and 256 bit presumably because of the uncertainty in forecasting technology 30+ years out.

Considering the expected life span of many of these systems and best industry practice we target the 128 bit security strengths for SuiteE.

The design goals of SuiteE are:

- Provide re-usable primitives
- Reduce code size
- To be suitable for hardware implementation
- Reduce computational costs
- Reduce energy usage and increase battery lifespan

A complete cryptographic cipher suite should consist of primitives from which the security services of identification and authentication, confidentiality, data integrity and non-repudiation can be provided. We prescribe an encryption scheme with authentication, a deterministic random number generator, a hash

Campagna

Expires April 15, 2013

[Page 4]

function, a key-agreement scheme, a digital signature scheme, and a certificate scheme that achieves a 128-bit security level, and achieves the goals identified above.

The remainder of this document is organized as follows. [Section 2](#) provides an authenticated encryption mode AES-CCM*. [Section 3](#) provides a deterministic random number generator. [Section 4](#) describes a hashing algorithm using the existing AES core in an AES-MMO mode. [Section 6](#) indicates why elliptic curve technology is selected and the specific curve selection sect283k1. [Section 7](#) specifies the use of an elliptic curve signature scheme with partial message recovery. [Section 8](#) provides an implicit certificate scheme. [Section 9](#) describes an elliptic curve based mutual authenticated key agreement scheme.

2. Encryption

IEEE 802.15.4 [[IEEE-802.15.4-2003](#)] specifies the use of AES-CCM*, a variation of the Counter Mode with Cipher Block Chaining MAC (CBC-MAC) using AES-128. AES-128 is specified in [[FIPS-197](#)]. Using [[IEEE-802.15.4-2003](#)] as the normative reference we present a description of AES-CCM* here.

In the sections that follow we will assume that the basic block cipher is AES-128 as specified in [[FIPS-197](#)]. We will represent AES-128 as a function E taking two 128-bit inputs, a message block M , and key K , with 128-bit output $C = E(M, K)$.

2.1. AES-CTR Mode

CTR mode or Counter Mode is a block cipher mode for providing confidentiality. It has some specific advantages in that both the encryption and decryption routines only require the block cipher to operate in a forward, or encrypt-only, direction.

Input: a 128-bit symmetric key K , and a plaintext message P of length P_{len} , and initial counter value CTR

1. Compute $m = \text{ceiling}(P_{len}/128)$.
2. Apply the counter generator function to CTR to compute $CTR_1, CTR_2, \dots, CTR_m$.
3. Compute $S_j = E(CTR_j, K)$, for $j = 1, \dots, m$.
4. Let $S = S_1 || S_2 || \dots || S_m$, where $||$ indicates concatenation.
5. Compute $C = P \text{ XOR } \text{MSB}_{P_{len}}(S)$, where $\text{MSB}_X()$ takes the X most significant bits.

Output: C

The Decryption routine for CTR mode is symmetric.

Input: a 128-bit symmetric key K , and a ciphertext message C of length C_{len} , and initial counter value CTR

1. Compute $m = \text{ceiling}(C_{len}/128)$.
2. Apply the counter generator function to CTR to compute $CTR_1, CTR_2, \dots, CTR_m$.

3. Compute $S_j = E(\text{CTR}_j, K)$, for $j = 1, \dots, m$.
4. Let $S = S_1 || S_2 || \dots || S_m$, where $||$ indicates concatenation.
5. Compute $P = C \text{ XOR } \text{MSB}_{\text{Clen}(S)}$, where $\text{MSB}_X()$ takes the X most significant bits.

Output: P

[2.2.](#) AES-CBC-MAC Mode

Cipher Block Chaining MAC Mode, CBC-MAC mode uses a block cipher to provide data integrity. Unlike CTR mode, that operates on arbitrary length strings CBC-MAC requires message padding to be on a multiple of the block length. The last message block will be padded out using zero bytes.

Input: a 128-bit symmetric key K , a message M of length M_{len}

1. Form B by padding message M on the right with 0-bytes to be on a byte boundary of the block length (16-bytes).
2. Form $B = B_1 || B_2 || \dots || B_m$.
3. Set O_0 to a zeroized block-length byte string.
4. Compute $O_j = E(O_{j-1} \text{ XOR } B_j, K)$.
5. Set MAC $T = O_m$.

Output: T

Verification is done by identical computation on input K , message M , and purported MAC T' and an additional check where the computed MAC value T is compared to the received MAC value T' and accepted only if $T = T'$.

[2.3.](#) AES-CCM* Mode

CCM mode is an authenticate and encrypt mode for block ciphers defined in [[NIST-800-38C](#)]. It is defined on a 128-bit block size block cipher. CCM* modifies this description to allow for modes that require only authentication, as well as variable length authentication tags.

2.3.1. AES-CCM* Encrypt

We break this section up into 3 subsections, input transformation, authentication transformation, and encryption transformation. We will assume that the following inputs are provided to the routines.

Input:

- a. A 128-bit symmetric key K .
- b. A value $1 < L < 9$.
- c. A nonce N of $15 - L$ octets, unique within the usage of the key K .
- d. An octet string m of length $l(m)$, where $0 \leq l(m) < 2^{8L}$.
- e. An octet string a of length $l(a)$, where $0 \leq l(a) < 2^{64}$.

2.3.1.1. Input Transformation

Input:

- a. An octet string m of length $l(m)$, where $0 \leq l(m) < 2^{8L}$.
 - b. An octet string a of length $l(a)$, where $0 \leq l(a) < 2^{64}$.
1. Represent the length $l(a)$ as an octet string $L(a)$.
 - a. If $l(a) = 0$, then $L(a)$ is an empty string.
 - b. If $0 < l(a) < 2^{16} - 2^8$, then $L(a)$ is the 2-octet representation of $l(a)$.
 - c. If $2^{16} - 2^8 \leq l(a) < 2^{32}$, then $L(a)$ is the right-concatenation of the octet $0xff$, the octet $0xfe$, and the 4-octet encoding of $l(a)$.
 - d. If $2^{32} \leq l(a) < 2^{64}$, then $L(a)$ is the right-concatenation of the octet $0xff$, the octet $0xff$, and the 8-octet encoding of $l(a)$.
 2. Form $\text{AddAuthData} = L(a) || a || 0^t$, where 0^t is the smallest non-negative string of t zero octets so that the resulting AddAuthData octet length is a multiple of 16.
 3. Form $\text{PlaintextData} = m || 0^s$, where 0^s is the smallest non-negative string of s zero octets so that the resulting

PlaintextData octet length is a multiple of 16.

4. Form AuthData = AddAuthData || PlaintextData.

Output: AuthData

2.3.1.2. Authentication Transformation

Input:

- a. A 128-bit symmetric key K.
 - b. The octet string AuthData, created in the input transformation.
 - c. A nonce N of $15 - L$ octets, unique within the usage of the key K.
 - d. The length $l(m)$, where $0 \leq l(m) < 2^{8L}$.
1. Form the byte Flags = Reserved || Adata || M || L, where the 1-bit Reserved field is reserved for future expansions and shall be set to '0'. The 1-bit Adata field is set to '0' if $l(a) = 0$ and set to '1' if $l(a) > 0$. The M field is the 3-bit representation of the integer $(M - 2)/2$ if $M > 0$ and of the integer 0 if $M = 0$, in most-significant-bit-first order. The L field is the 3-bit representation of the integer $L - 1$, in most-significant-bit-first order.
 2. Form $B_0 = \text{Flags} || \text{Nonce } N || l(m)$
 3. Parse the message AuthData as $B_1 || B_2 || \dots || B_t$, where each message block B_i is a 16-octet string.
 4. The CBC-MAC value $T = \text{AES-CBC-MAC}(B_0 || \text{AuthData}, K)$ as defined by [Section 2.2](#).

Output: T

2.3.1.3. Encryption Transformation

Input:

- a. A 128-bit symmetric key K.
- b. PlaintextData from [Section 2.3.1.1](#).

- c. The authentication tag output T from [Section 2.3.1.2](#).
 - d. A nonce N of length 15-L bytes.
1. Form $Flags = Reserved0 \parallel Reserved1 \parallel 000 \parallel L'$, where the reserved bits Reserved0 and Reserved1 is '0', and L' is the 3-bit representation of the integer L - 1.
 2. Form the $A_i = Flags \parallel Nonce N \parallel Counter_i$, where Counter_i is an L-octet representation of the integer $i = 0, 1, 2, \dots, t$.
 3. Parse the PlaintextData from [Section 2.3.1.1](#) into 16-octet blocks M_1, \dots, M_t .
 4. Compute $C_i = E(A_i, K) \text{ XOR } M_i$ for $i = 1, \dots, t$.
 5. Compute Ciphertext as the leftmost $l(m)$ bits of $C_1 \parallel \dots \parallel C_t$.
 6. Compute $S_0 = E(A_0, K) \text{ XOR } T$.
 7. Compute AuthTag as the leftmost M octets of S_0 .

Output: Ciphertext and AuthTag

[2.3.2](#). AES-CCM* Decrypt

We break this section up into 2 subsections, decryption and authentication verification. The AES-CCM* Decryption process should both decrypt any encrypted portion of the message, and authenticate the decrypted message. It will return an error code, or plaintext data. We will assume that the following inputs are provided to the routines.

Input:

- a. A 128-bit symmetric key K.
- b. A nonce N of 15 - L octets, unique within the usage of the key K.
- c. An M-octet tag AuthTag.
- d. An octet string Ciphertext of length $l(c)$, where $0 \leq l(c) - M < 2^{8L}$.

2.3.2.1. Decryption Transformation

Input:

- a. A 128-bit symmetric key K .
 - b. A nonce N of $15 - L$ octets, unique within the usage of the key K .
 - c. An M -octet tag $AuthTag$.
 - d. An octet string $Ciphertext$ of length $l(c)$, where $0 \leq l(c) - M < 2^{8L}$.
1. Form C_0 from $AuthTag$ by padding on the right by the least number of θ octets so that C_0 is an octet string of length 16.
 2. Form $CiphertextData$ by right concatenation of C with the smallest number of θ octets so the resulting string is of octet length divisible by 16.
 3. Form $Flags = Reserved0 \parallel Reserved1 \parallel 000 \parallel L'$, where the reserved bits $Reserved0$ and $Reserved1$ are '0', and L' is the 3-bit representation of the integer $L - 1$.
 4. Form the $A_i = Flags \parallel Nonce N \parallel Counter_i$, where $Counter_i$ is an L -octet representation of the integer $i = 0, 1, 2, \dots, t$.
 5. Parse the $C_0 \parallel CiphertextData$ into 16-octet blocks C_0, C_1, \dots, C_t .
 6. Compute $P_i = E(A_i, K) \text{ XOR } C_i$ for $i = 0, \dots, t$.
 7. Form U as the rightmost M -octets of P_0 .
 8. Form $Plaintext$ leftmost $l(c)$ octets of $P_1 \parallel \dots \parallel P_t$.

Output: U and $Plaintext$

2.3.2.2. Verification Transformation

Input:

- a. A 128-bit symmetric key K .
- b. $Plaintext$ of length $l(c)$, where $0 \leq l(c) < 2^{8L}$.

- c. U, the purported MAC of Plaintext.
 - d. A nonce N of $15 - L$ octets, unique within the usage of the key K.
1. Compute T as the output of the authentication transformation [Section 2.3.1.2](#) with the inputs, key K, Plaintext, nonce N, and length value $l(c)$.
 2. Form T' as the leftmost M octets of T.
 3. If $T' = U$ output Plaintext, otherwise output error code INVALID.

Output: Plaintext or INVALID

3. Deterministic Random Number Generator

This section provides a reduced set of options to the CTR_DRBG definition using AES as defined in [NIST-800-90].

Restrict the CTR_DRBG to the use of AES-128 delivering 128-bit security.

General assumption of a full-entropy seed, removing the extra coding needed for the block_cipher_df and the BCC function as defined in [NIST-800-90]

The personalization_string and additional_input options are not supported.

Set maximum_number_of_bits_per_request = 2^{16} . (Based on convenient word boundary.)

Set reseed_interval = 2^{48} . (Based on maximizing life of a device that may not have an entropy source.)

We give a basic description of the AES block-cipher-based DRBG in the next few subsections. The description includes an update function, an initialization function, and a generate function. We will leave it up to implementers to consider other optional functions such as reseed.

We define the state of the CTR_DRBG using the following structure.

```
struct{
    uint64  counter; // 64-bit counter
    uchar  V[16];    // state
    uchar  K[16];    // key
}ctr_drbg;
```

3.1. CTR_Update

The update function CTR_Update() modifies the internal state variables V and K of the DRBG structure using provided data.

Input:

- a. The current state V.
- b. The current key K.
- c. A 32-byte input, data.

1. $temp = AES(V+1 \pmod{2^{128}}, K) \parallel AES(V+2 \pmod{2^{128}}, K)$.
2. $temp = temp \text{ XOR } data$.
3. $K = \text{leftmost } 16 \text{ bytes of } temp$.
4. $V = \text{rightmost } 16 \text{ bytes of } temp$.

Output:

- a. The updated state V .
- b. The updated key K .

Functionally we write $(V, K) = \text{CTR_Update}(V, K, data)$.

3.2. CTR_Init

The update function `CTR_Update()` modifies the internal state variables V and K of the DRBG structure using provided data.

Input:

- a. A full entropy 32-byte seed.
1. Set $V = 0^{128}$, $K = 0^{128}$, zeroize state V , and K .
2. $(V, K) = \text{CTR_Update}(V, K, seed)$.
3. Set $counter = 1$.

Output:

- a. State $(counter, V, K)$

Functionally we write $(counter, V, K) = \text{CTR_Init}(seed)$.

NOTE: The `CTR_Init()` function can be simplified by making the observation that the resulting state is simply an XOR of the seed value with the fixed output values of $AES(0^{127} \parallel 1_2, 0^{128}) \parallel AES(0^{126} \parallel 10_2, 0^{128}) = 58E2FCCEFA7E3061367F1D57A4E7455A0388DACE60B6A392F328C2B971B2FE78_{\{16\}}$, or $(K \parallel V) = 58E2FCCEFA7E3061367F1D57A4E7455A0388DACE60B6A392F328C2B971B2FE78 \text{ XOR } seed$.

3.3. CTR_Generate

The function `CTR_Generate()` modifies the internal state variables `V` and `K` of the DRBG structure, and generates a random output of the requested length `rlen` bytes. If the counter has exceeded 2^{48} or `rlen` exceeds 2^{16} , an `ERROR` is returned, and the state is not modified.

Input:

- a. Current state (counter, `V`, `K`).
 - b. Requested number of bytes, `rlen`.
1. If counter > 2^{48} return `ERROR`.
 2. If `rlen` > 2^{16} return `ERROR`.
 3. Set output = `NULL`
 4. while(`length(temp)` < `rlen`)
 - a. `V = V + 1 (mod 2128)`.
 - b. `output ||= AES(V, K)`.
 5. `output = leftmost rlen bytes of output`.
 6. `(V, K) = CTR_Update(V, K, 0256)`.
 7. Set counter = counter + 1.

Output:

- a. State (counter, `V`, `K`)
- b. Either `NULL` and `ERROR`, or output and `SUCCESS`

Functionally we write `((counter V, K), (output, RESULT_CODE)) = CTR_Generate(V, K, data)`.

[4.](#) Hash

[ISO-10118-2] specifies hash functions using an n-bit block cipher. The first function from [[ISO-10118-2](#)] ("Hash-function one") maps arbitrary length inputs to n-bit outputs. This is the Matyas-Meyer-Oseas (MMO) construction described in [[MOV96](#)]. In the first subsection we specify a family of Merkle-Damgard strengthening (or MD-strengthening) functions that aims to account for existing deployments in ZigBee Smart Energy, and provide a gradual MD-strengthening that reduces padding on small messages.

The following subsection details an MMO construction that utilizes two input pre-processing steps. The first is a prefix-free encoding: the bitlength of the message encoded as a 128-bit integer is prepended to the input message. The second is the more common MD-strengthening transform, which essentially appends an encoding of the length and ensures the output is a multiple of the block length.

The hash function defined here is not a general purpose hash function at the 128-bit security level, as it does not provide collision resistance. Application of this hash function should conform to the usages defined in this specification. The use of this hash function elsewhere requires careful consideration.

[4.1.](#) Prefix-Free Encoding

The prefix-free encoding step is defined as follows:

Input: message M of bitlength Mlen

Output: M' of bitlength Mlen + 128

1. If $Mlen \geq 2^{64}$ return ERROR.
2. Convert Mlen to a bit string Mblen of length 128 bits, where the first 64 where Mblen is the 128-bit little-endian integer representation of Mlen. (Note that the leftmost 64 bits will always be zero.)
3. Prepend (left-pad) and output Mblen to M, i.e., output $M' = Mblen || M$.

[4.2.](#) MD-strengthening

This section defines an escalating MD-strengthening padding scheme to account for minimizing additional blocks for small messages, and expanding length encoding for larger messages. Additionally it allows for compliance with existing applications of MMO hashing

defined in ZigBee Smart Energy 1.0. For messages less than 2^{16} bits we use MD-strengthening-1, for messages of length less than 2^{32} bits but greater than $2^{16} - 1$ bits we use MD-strengthening-2, and for messages of length less than 2^{64} bits but greater than $2^{32} - 1$ bits we use MD-strengthening-3

4.2.1. MD-strengthening-1

Input: A message M of bitlength $Mlen$.

1. If $Mlen \geq 2^{16}$ return ERROR.
2. Pad the message M :
 - a. Right concatenate the message M with a '1' bit followed by k '0' bits where k is the least non-negative number such that $Mlen + 1 + k = 112 \bmod 128$.
 - b. Form the padded message M' by right concatenating the resulting string with a 16-bit string that is equal to the value $Mlen$.

Output: $M' = M_1, M_2, \dots, M_m$ a padded message in 128-bit blocks.

4.2.2. MD-strengthening-2

Input: A message M of bitlength $Mlen$.

1. If $Mlen < 2^{16}$ or $Mlen \geq 2^{32}$ return ERROR.
2. Pad the message M :
 - a. Right concatenate the message M with a '1' bit followed by k '0' bits where k is the least non-negative number such that $Mlen + 1 + k = 80 \bmod 128$.
 - b. Form the padded message M'' by right concatenating the resulting string with a 32-bit string that is equal the value $Mlen$.
 - c. Form the padded message M' by right concatenating M'' with a 16-bit 0 string.

Output: $M' = M_1, M_2, \dots, M_m$ a padded message in 128-bit blocks.

4.2.3. MD-strengthening-3

Input: A message M of bitlength $Mlen$.

1. If $Mlen < 2^{32}$ or $Mlen \geq 2^{64}$ return ERROR.
2. Pad the message M :
 - a. Right concatenate the message M with a '1' bit followed by k '0' bits where k is the least non-negative number such that $Mlen + 1 + k = 16 \bmod 128$.
 - b. Form the padded message M'' by right concatenating the resulting string with a 64-bit string that is equal the value $Mlen$.
 - c. Form the padded message M' by right concatenating M'' with a 48-bit 0 string.

Output: $M' = M_1, M_2, \dots, M_m$ a padded message in 128-bit blocks.

4.3. MMO Construction

We describe the basic MMO construction on a message M that has been padded and MD-strengthened to be of length a multiple of the bit length of AES, 128 bits.

Input: A message M of bitlength $Mlen$.

1. Apply the prefix-free encoding to M to form a bitstring M' , with bitlength $Mlen' = Mlen + 128$.
2. Pad and format M' in 128-bit blocks using one of the MD routines specified above or return ERROR.
3. Set $H_0 = 0^{128}$, a zeroized 128-bit block.
4. Compute $H_j = E(M_j, H_{(j-1)}) \text{ XOR } M_j$, for $j = 1, \dots, m$.

Output: $H = H_m$ as the hash value.

5. Key Derivation Function

At this time SuiteE does not recommend a particular key derivation function (KDF) for compliance. That said, some of the SuiteE primitives do require use of a KDF. One possible choice are the pseudorandom function-based constructions of KDFs given in [\[NIST-800-108\]](#) which are suitable, and may be instantiated with AES-CMAC as a pseudo-random function.

6. Curve Selection

We will assume basic familiarity with Elliptic Curve Cryptography (ECC) notation and specifications. Wherever possible we will refer to freely available standards and indicate alignment of these standards with other well known standards. We will assume the notation in the Standards for Efficient Cryptography Group SEC 1, [SEC1]. This specification defines the basic ECC operations as well as the most widely standardized and used techniques. The overall goal of [SEC1] is to provide a free standard that ensures conformance with other standard specifications, and is instructive to implementers on how to develop the necessary routines to build an elliptic curve cryptosystem.

Elliptic curve cryptography is a natural public key technology to select given a goal of providing public key operations at a 128-bit security level on embedded systems. ECC, like RSA and other public key cryptosystems provides security by the use of key pairs: a private key and a public key. Security properties are built upon the assumption that the private key is securely generated and maintained within the confines of a cryptographic boundary. Ideally, this means that private keys should be generated on the device in which the private keys will be used operationally.

RSA key generation at the 128-bit security level requires the generation 1536-bit prime numbers, and performing integer operations on 3072-bit numbers. The inability of embedded systems to generate these keys on devices today, and the future requirements to implement this in hardware makes RSA a poor choice.

ECC key generation at the 128-bit security level requires the generation of a 256-bit random number and scalar point multiplication, which can be done efficiently in embedded systems today.

Elliptic curves over binary fields have a distinct advantage over elliptic curves over prime fields in that they are more efficient and cost effective in hardware. The binary curve sect283k1 as specified in [SEC2] is the most widely standardized and specified binary curve at the 128-bit security level. It is a Koblitz curve, which has an advantage over random curves in performing point multiplication algorithms.

For a basic description of the algorithms the reader is referred to [SEC1]. For a more complete background and optimizations for elliptic curves the reader is referred to [HMV04].

Throughout the following sections on elliptic curve cryptography we

will use the following notation

F_q - is a finite field with q elements.

E - an elliptic curve over F_q , given by the equation $y^2 + xy = x^3 + ax^2 + b$.

$E(F_q)$ - the group of elliptic curve points over F_q .

G - is a base point in $E(F_q)$ of a large prime order.

n - is a large prime, and the order of the subgroup generated by G .

h - is the cofactor, $h = \#E(F_q)/n$.

Further we will assume it is known how to generate elliptic curve key pairs, and will refer the reader to the freely available specification [[SEC1](#)]. In general a key pair is generated by taking a random integer d , $1 < d < n$, and computing $Q = dG$, the addition of the point G to itself d times. In general all parties will have some assurances that the elliptic curve domain parameters are valid, and in particular are fixed to the selected sect283k1 curve parameters.

6.1. SECT283K1 Curve Parameters

F_q - is a finite field with $q = 2^{283}$. $F_q = F_2[X]/(f(x))$, where $f(x) = x^{283} + x^{12} + x^7 + x^5 + 1$.

E - the elliptic curve is defined as $E: y^2 + xy = x^3 + b$.

G - is a base point in E of a large prime order, presented here in uncompressed octet encoding 04 0503213F 78CA4488 3F1A3B81 62F188E5 53CD265F 23C1567A 16876913 B0C2AC24 58492836 01CCDA38 0F1C9E31 8D90F95D 07E5426F E87E45C0 E8184698 E4596236 4E341161 77DD2259.

n - is a large prime, and the order of the subgroup generated by G , $n = 01FFFFFF FFFFFFFF FFFFFFFF FFFFFFFF FFFFE9AE 2ED07577 265DFF7F 94451E06 1E163C61$.

h - is the cofactor, $\#E(F_q)/n$, $h = 4$.

7. Elliptic Curve Signatures with Partial Message Recovery

Elliptic Curve Pintsov-Vanstone Signatures (ECPVS) is an elliptic curve variant of Nyberg-Rueppel signatures. ECPVS is standardized in [[X9.92.1](#)] and [[IEEE1363-A](#)]. It has three distinct advantages over ECDSA when it comes to constrained environments. The first being that it allows for smaller signature sizes by the incorporation of part of the message into a signature field. The second is a simplification of the integer arithmetic. The signing transformation does not require a modular inverse, improving both code size and computational performance. The verification transformation requires no integer arithmetic and so also removes a modular inverse and modular multiplies in the verification transformation. The third is that it is a Schnorr signature scheme which loosens the collision resistance requirement on the underlying hash function [[NSW07](#)]. Thus the AES-MMO hash primitive in SuiteE (see Section [Section 4](#)) is sufficient for security. A second consequence is a performance increase in the signature verification, where a scalar multiply with a 256-bit integer (ECDSA) is replaced by a 128-bit integer (ECPVS).

We assume all parties possess the domain parameters for the elliptic curve, as chosen in [Section 6](#), and that the public keys of signers are validated as described in [[SEC1](#)], Section 3.2.2.

The scheme presented here is a variant of ECPVS as presented in [[X9.92.1](#)], it removes the redundancy requirement on the input message by replacing the use of symmetric key encryption with the authenticated encryption functionality of SuiteE, AES-CCM*.

ECPVS uses encoding and decoding routines to process signatures.

7.1. Message Encoding and Decoding Methods

The following subsections specify the encoding and decoding operation primitives that shall be used to generate ECPVS signatures and to verify ECPVS signatures.

7.1.1. Message Encoding

Input: The input to the encoding operation is:

- a. A recoverable message part, which is a bit string M of length M_{len} bits.
- b. A bit string Z (used to derive a key).

Steps

1. Form $T = 00||M$, by prepending a zero byte to the front of M .
2. Apply the key derivation function KDF to the bit string Z to produce a 128-bit key K .
3. Let $(C, MAC) = \text{AES-CCM}^*\text{-ENCRYPT}(T, K, 128)$.
4. Form $r = C||MAC$, the concatenation of the cipher text value C with the computed MAC value.

Output: r .

We will denote this process as $r = \text{EM}(M, Z)$, for encode message.

7.1.2. Decoding Messages

Input: The input to the decoding operation is:

- a. The message representative, which is a bit string r of length r_{len} bits.
- b. A bit string Z .

Steps

1. Apply the key derivation function KDF to the bit string Z to produce a 128-bit key K .
2. Parse the message $r = C||MAC$, where MAC is the last 16 bytes, or return ERROR.
3. Compute $M' = \text{AES-CCM}^*\text{-DECRYPT}(C, MAC, K, 128)$.
4. If M' is ERROR value return ERROR.
5. Parse $M' = 00||M$, where 00 is a zeroized byte, or return ERROR.
6. return M .

Output: ERROR or message value M .

We will denote this process as $M = \text{EM}^{-1}(r, Z)$, for decode message.

7.2. Elliptic Curve Pintsov-Vanstone Signatures (ECPVS)

This section contains two subsections, signature generation and signature verification.

7.2.1. Signature Generation

Input: The input to the signature generation transformation is:

- a. A message (M, V) , which is a pair of bit strings to be signed. M is the recoverable portion of the message, and V is the visible or plaintext portion of the message.
- b. An elliptic curve private key d .

Steps:

1. Generate an ephemeral key pair (k, R) with $R = (x, y)$. (see: [\[SEC1\] Section 3.2.1](#)).
2. Convert the field element x to a bit string Z . (see: [\[SEC1\] Section 2.3.5](#) and 2.3.2).
3. Encode the recoverable portion of the message $r = EM(M, Z)$.
4. Compute $H = AES-MM0(r||V)$, where $||$ represents concatenation.
5. Convert the bit string H to an integer e . (see: [\[SEC1\] Section 2.3.1](#) and 2.3.8).
6. Compute $s = k - de \pmod{n}$.

Output: (r, s) as the signature with partial message recovery on V .

7.2.2. Signature Verification

Input: The input to verification is:

- a. A message V .
- b. A signature with partial message recovery (r, s) .
- c. The elliptic curve public key Q belonging to the signer.

Steps:

1. If s is not an integer in the interval $[1, n - 1]$, return ERROR.
2. Compute $H = AES-MM0(r||V)$.
3. Convert the bit string H to an integer e . (see: [\[SEC1\] Section 2.3.1](#) and 2.3.8).

4. Compute the elliptic curve point $R = sG + eQ$. Let x denote the x -coordinate of R .
5. Convert the field element x to a bit string Z . (see: [[SEC1](#)] [Section 2.3.5](#) and 2.3.2).
6. Use message decoding to compute: $M = EM^{-1}(r, Z)$.
7. If M is an ERROR value, return ERROR, else return M and VALID.

Output: Either an ERROR, or a recovered message M and indication of a VALID signature.

8. Elliptic Curve Implicit Certificates (ECQV)

In this section we specify the Elliptic Curve Qu-Vanstone implicit certificate scheme (ECQV).

A traditional certificate scheme consists of a certificate issuer with a key pair (d, Q) to produce a triplet binding an identity, I , and a public key, P , using a signature, sig , by invoking the issuer's private key d . We can represent this certificate as (I, P, sig) . An implicit certificate binds an identity element with a public key without an explicit signature by creating a pair of elements; an identity, I , and a public key reconstruction value B . We can represent this certificate as (I, B) .

Verification of the certificate is implicit in the use of the public key. The public key is bound to the entity identified in the implicit certificate, and the certification process ensures that only this entity may recover the associated secret key. In effect, certificate verification is combined with the cryptographic primitive for which the signed key is being used. This provides two advantages over traditional certificates. The first is a cost savings on memory and bandwidth. Implicit certificates do not require an explicit signature, reducing the size of the cryptographic material to roughly 1/3rd of a traditional certificate. The second is on computation, the public key reconstruction operation is computationally more efficient than a signature verification, and may be combined with other operations.

The next five sections describe an implicit certificate scheme, defined in [SEC4]. As in the previous section the elliptic curve domain parameters and hash functions are assumed. It is also assumed that the CA has established a key pair (d_{CA}, Q_{CA}) , and all communicating parties have access to the public key Q_{CA} .

We will assume that certificate validation routines have been established in regards to verifying certificate validity, key usage and certificate formatting. These checks will be assumed in steps in which certificate parsing takes place where possible error values may be returned.

8.1. Certificate Request

This section describes the basic operations by which an entity A generates a certificate request. It is assumed that A and CA have an authenticated channel, but the channel may not be private.

Input: none

Steps:

1. Generate an elliptic curve key pair (k_A, RA) . (see: [\[SEC1\] Section 3.2.1](#)).

Output: a key pair (k_A, RA) .

The entity A, requesting the certificate, sends the public key RA along with purported identity of A to the Certificate Authority, and stores (k_A, RA) for future use, keeping k_A secret.

[8.2.](#) Certificate Generation

This section describes the certificate generation process executed by a certificate authority. It is assumed that A and CA have an authenticated channel, but the channel may not be private.

Input: the following items or equivalent

- a. The CA private key d_{CA} .
- b. A certificate request consisting of a public key RA and an identifier for A.

Steps:

1. Validate the public key value RA, if it fails output ERROR. (see: [\[SEC1\] Section 3.2.2](#)).
2. Generate an elliptic curve key pair (k, k_G) (see: [\[SEC1\] Section 3.2.1](#)).
3. Compute the elliptic curve point $BA = RA + k_G$.
4. Convert BA to an octet string BAS (see: [\[SEC1\] Section 2.3.3](#)).
5. Encode the certificate CertA as an octet string consisting of BAS, and the identity element I, consisting of the identifier for A and other certificate validity and key usage information.
6. Compute $H = \text{AES-MM0}(\text{CertA})$.
7. Convert the bit string H to an integer e (see: [\[SEC1\] Section 2.3.1](#) and 2.3.8).
8. Compute the integer $r = ek + d_{CA} \pmod{n}$.

Output: Either an implicit certificate CertA, and private key

contribution value r , or an ERROR value.

8.3. Certificate Reception

This section describes the certificate reception process by which a certificate requester computes its private key.

Input: the following items or equivalent

- a. The CA public key QCA .
- b. The key pair generated during the certificate request (kA , RA).
- c. The implicit certificate $CertA$.
- d. The private key contribution value r .

Steps:

1. Parse the certificate $CertA$ into an octet string BAS and an identity element I or return ERROR.
2. Convert BAS to a public key BA or return ERROR (see: [[SEC1](#)] [Section 2.3.4](#)).
3. Validate the public key value BA or return ERROR (see: [[SEC1](#)] [Section 3.2.2](#)).
4. Compute $H = AES-MM0(CertA)$.
5. Convert the bit string H to an integer e (see: [[SEC1](#)] [Section 2.3.1](#) and 2.3.8).
6. Compute the private key $dA = r + ekA \pmod n$.
7. Compute $QA = eBA + QCA$.
8. Verify $QA = (dA)G$ otherwise halt and return ERROR.

Output: Either a key pair (dA, QA) , or an ERROR value.

8.4. Certificate Public Key Extraction

This section describes the certificate public key reconstruction operation. This would be done by any entity desiring to authenticate a cryptographic operation with entity A .

Input: the following items or equivalent

- a. The CA public key QCA.
- b. The implicit certificate CertA.

Steps:

1. Parse the certificate CertA into an octet string BAS and an identity element I or return ERROR.
2. Convert BAS to a public key BA or return ERROR.(see: [[SEC1](#)] [Section 2.3.4](#)).
3. Validate the public key value BA or return ERROR.(see: [[SEC1](#)] [Section 3.2.2](#)).
4. Compute $H = \text{AES-MMO}(\text{CertA})$.
5. Convert the bit string H to an integer e. (see: [[SEC1](#)] [Section 2.3.1](#) and 2.3.8).
6. Compute $QA = eBA + QCA$.

Output: Either an alleged public key QA, or an ERROR value.

We say the output is "alleged" since the party that extracted it does not at this point know that it belongs to the party identified in CertA. However, the scheme does guarantee that only the identified party possesses the secret key associated to QA.

9. Elliptic Curve Key Agreement Scheme

The elliptic curve MQV, or ECMQV scheme is a key agreement scheme based on ECC. We give a description here, but will refer to [[SEC1](#)] as the definitive normative reference. ECMQV can provide a variety of security properties and we refer the reader to [[NIST-800-56](#)] to use an instantiation of ECMQV that best satisfies their application security goals. We select ECMQV for SuiteE because of its well studied security properties, wide standardization, existing deployment in the constrained environment space and the computational and bandwidth savings it can provide over competing methods to provide an authenticated key agreement scheme.

As in previous ECC sections we will assume all parties have agreed upon and access to validated elliptic curve parameters, and for the purpose of SuiteE this is the sect283k1 curve as defined in [[SEC2](#)].

9.1. ECMQV

This section defines the basic operations of the ECMQV primitive. We will assume the two communicating parties A and B have established two key pairs (dA1, QA1) and (dA2, QA2), and (dB1, QB1) and (dB2, QB2) respectively. The description is presented from A's reference point, B would perform the same operations with analogous key pairs. The first of each public key may be a static public key derived from an implicit certificate and used to authenticate the entity.

Input: The following or equivalent

- a. Two key pairs (dA1, QA1) and (dA2, QA2).
- b. Two partially validated public keys QB1, QB2 purportedly owned by B.
- c. A key derivation function KDF, and an agreed upon key data length klength.
- d. [Optional] shared information, SHARED_INFO for the KDF.

Steps:

1. Compute an integer QA2bar from QA2:
 - a. Convert the x-coordinate of QA2 to an integer x.
 - b. Set $xbar = x \pmod{2^{\lceil \log_2(n)/2 \rceil}}$. (For SuiteE, $xbar = x \pmod{2^{142}}$.)

- c. Set $QA2bar = xbar + 2^{(\text{ceiling}(\log_2(n)/2)}$. (For SuiteE $QA2bar = xbar + 2^{142}$.)
2. Compute the integer $s = dA2 + QA2bar \cdot dA2 \pmod n$
3. Compute an integer $QB2bar$ from $QB2$:
 - a. Convert the x-coordinate of $QB2$ to an integer x' .
 - b. Set $xbar' = x' \pmod{2^{(\text{ceiling}(\log_2(n)/2)}}$. (For SuiteE, $xbar' = x' \pmod{2^{142}}$.)
 - c. Set $QB2bar = xbar' + 2^{(\text{ceiling}(\log_2(n)/2)}$. (For SuiteE $QB2bar = xbar' + 2^{142}$.)
4. Compute the point $P = h \cdot s(QB2 + QB2bar \cdot QB1)$, where h is the cofactor defined as $\#E(Fq)/n$, which is 4 for the SuiteE curve sect283k1.
5. If $P =$ point at infinity output ERROR and exit.
6. Convert the x-coordinate of P to an octet string Z .
7. Use the KDF function with input Z , $klength$, and the optional `SHARED_INFO`, to generate either the shared key value K or return an ERROR.

Output: Shared secret key K of $klength$, or an ERROR value.

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[Appendix A](#). Acknowledgments

Author's Address

Matthew Campagna
Certicom Corp.
4701 Tahoe Boulevard
Mississauga, Ontario L4W 0B5
Canada

Email: mcampagna@certicom.com