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**Authenticated Encryption with AES-CBC and HMAC-SHA**  
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Abstract

This document specifies algorithms for authenticated encryption with associated data (AEAD) that are based on the composition of the Advanced Encryption Standard (AES) in the Cipher Block Chaining (CBC) mode of operation for encryption, and the HMAC-SHA message authentication code (MAC).

These are randomized encryption algorithms, and thus are suitable for use with applications that cannot provide distinct nonces to each invocation of the AEAD encrypt operation.

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## **1. Introduction**

Authenticated Encryption (AE) [[BN00](#)] is a form of encryption that, in addition to providing confidentiality for the plaintext that is encrypted, provides a way to check its integrity and authenticity. This combination of features can, when properly implemented, provide security against adversaries who have access to full decryption capabilities for ciphertexts of their choice, and access to full encryption capabilities for plaintexts of their choice. The strong form of security provided by AE is known to robust against a large class of adversaries for general purpose applications of AE, including applications such as securing network communications over untrusted networks. The strong security properties of AE stand in contrast to the known weaknesses of "encryption only" forms of encryption, see [[B96](#)][YHR04] [[DP07](#)] for examples.

Authenticated encryption with Associated Data, or AEAD [[R02](#)], adds the ability to check the integrity and authenticity of some associated data (sometimes called "additional authenticated data") for which confidentiality is not required (or is not desirable). While many approaches to building AEAD schemes are known, a particularly simple, well-understood, and cryptographically strong method is to employ an "Encrypt-then-MAC" construction. This document defines new AEAD algorithms of this general type, using the interface defined in [[RFC5116](#)], based on the Advanced Encryption Standard (AES) [[FIPS197](#)] in the Cipher Block Chaining (CBC) mode of operation [[SP800-38](#)] and HMAC using the Secure Hash Algorithm (SHA) [[FIPS186-2](#)], with security levels of 128, 192, and 256 bits.

### **1.1. History**

This subsection describes the revision history of this Internet Draft. It should be removed by the RFC Editor before publication as an RFC.

The changes of version 01 from version 00 are:

MIN\_LEN\_A and associated logic was eliminated.

Padding String (PS) typo corrected in [Section 2.1](#).

Decryption Step 3 refers to the appropriate step in the encryption process.

Random IV min-entropy clarified in [Section 3](#).

HMAC keys are now the same size as the truncated output (128 or 256 bits). Previously, the HMAC keys were the same size as the



full hash output (256, 384, or 512 bits).

An algorithm based on the combination of AES-256 and HMAC-SHA-384 has been added, for compatibility with [draft-burgin-kerberos-aes-cbc-hmac-sha2](#).

The test cases in the previous version are no longer valid, and thus have been removed. New test cases have been computed (and the authors thank John Foley for this contribution) but have not been included, pending confirmation from a second, independent implementation.

## **1.2. Conventions Used In This Document**

We use the following notational conventions.

CBC-ENC(X,P) denotes the CBC encryption of P using the cipher with the key X

MAC(Y, M) denotes the application of the Message Authentication Code (MAC) to the message M, using the key Y

The concatenation of two octet strings A and B is denoted as A || B

len(X) denotes the number of bits in the string X, expressed as an unsigned integer in network byte order.

The key words "MUST", "MUST NOT", "REQUIRED", "SHALL", "SHALL NOT", "SHOULD", "SHOULD NOT", "RECOMMENDED", "MAY", and "OPTIONAL" in this document are to be interpreted as described in [[RFC2119](#)].



## 2. CBC-HMAC algorithms

This section defines CBC-HMAC, an algorithm based on the the encrypt-then-MAC method defined in Section 4.3 of [BN00]. That method constructs a randomized AEAD algorithm out of a randomized cipher, such as a block cipher mode of operation that uses a random initialization vector, and a MAC.

[Section 2.1](#) and [Section 2.2](#) define the CBC-HMAC encryption and decryption algorithms, without specifying the particular block cipher or hash function to be used. [Section 2.4](#), [Section 2.5](#), [Section 2.7](#), and [Section 2.8](#), define instances of CBC-HMAC that specify those details.

### 2.1. Encryption

We briefly recall the encryption interface defined in [Section 2 of \[RFC5116\]](#). The AEAD encryption algorithm takes as input four octet strings: a secret key K, a plaintext P, associated data A, and a nonce N. An authenticated ciphertext value is provided as output. The data in the plaintext are encrypted and authenticated, and the associated data are authenticated, but not encrypted.

In CBC-HMAC, the nonce MUST be a zero-length string; a nonce is not needed and is not used (see [Section 4](#) for further background).

The CBC-HMAC encryption process is as follows, or uses an equivalent set of steps:

1. The secondary keys MAC\_KEY and ENC\_KEY are generated from the input key K as follows. Each of these two keys is an octet string.

MAC\_KEY consists of the initial MAC\_KEY\_LEN octets of K, in order.

ENC\_KEY consists of the final ENC\_KEY\_LEN octets of K, in order.

Here we denote the number of octets in the MAC\_KEY as MAC\_KEY\_LEN, and the number of octets in ENC\_KEY as ENC\_KEY\_LEN; the values of these parameters are specified by the AEAD algorithms (in [Section 2.4](#) and [Section 2.5](#)). The number of octets in the input key K is the sum of MAC\_KEY\_LEN and ENC\_KEY\_LEN. When generating the secondary keys from K, MAC\_KEY and ENC\_KEY MUST NOT overlap.





2. An Initialization Vector (IV) is generated randomly or pseudorandomly, as described in [Section 3](#), for use in the cipher.
3. Prior to CBC encryption, the plaintext P is padded by appending a padding string PS to that data, to ensure that  $\text{len}(P \parallel \text{PS})$  is a multiple of 128, as is needed for the CBC operation. The value of PS is as follows:

PS = 01	if $\text{len}(P) \bmod 128 = 120$ ,
PS = 0202	if $\text{len}(P) \bmod 128 = 112$ ,
PS = 030303	if $\text{len}(P) \bmod 128 = 104$ ,
PS = 04040404	if $\text{len}(P) \bmod 128 = 96$ ,
PS = 0505050505	if $\text{len}(P) \bmod 128 = 88$ ,
PS = 060606060606	if $\text{len}(P) \bmod 128 = 80$ ,
PS = 07070707070707	if $\text{len}(P) \bmod 128 = 72$ ,
PS = 0808080808080808	if $\text{len}(P) \bmod 128 = 64$ ,
PS = 090909090909090909	if $\text{len}(P) \bmod 128 = 56$ ,
PS = 0A0A0A0A0A0A0A0A0A	if $\text{len}(P) \bmod 128 = 48$ ,
PS = 0B0B0B0B0B0B0B0B0B0B	if $\text{len}(P) \bmod 128 = 40$ ,
PS = 0C0C0C0C0C0C0C0C0C0C	if $\text{len}(P) \bmod 128 = 32$ ,
PS = 0D0D0D0D0D0D0D0D0D0D0D	if $\text{len}(P) \bmod 128 = 24$ ,
PS = 0E0E0E0E0E0E0E0E0E0E0E	if $\text{len}(P) \bmod 128 = 16$ ,
PS = 0F0F0F0F0F0F0F0F0F0F0F0F	if $\text{len}(P) \bmod 128 = 8$ ,
PS = 10101010101010101010101010101010	if $\text{len}(P) \bmod 128 = 0$ .

Note that padding **MUST** be added to the plaintext; if the number of bits in P is a multiple of 128, then 128 bits of padding will be added.

4. The plaintext and appended padding  $P \parallel \text{PS}$  is CBC encrypted using `ENC_KEY` as the key, and the IV generated in the previous step. We denote the ciphertext output from this step as S, and it **MUST** include the IV as its prefix.
5. The octet string AL is equal to the number of bits in A expressed as a 64-bit unsigned integer in network byte order.
6. A message authentication tag T is computed by applying HMAC [\[RFC2104\]](#) to the following data, in order:

the associated data A,

the ciphertext S computed in the previous step, and

the octet string AL defined above.

The string `MAC_KEY` is used as the MAC key. We denote the output of the MAC computed in this step as T.



7. The AEAD Ciphertext consists of the string  $S$ , with the string  $T$  appended to it. This Ciphertext is returned as the output of the AEAD encryption operation.

The encryption process can be illustrated as follows. Here  $P$ ,  $A$ , and  $C$  denote the AEAD plaintext, associated data, and ciphertext, respectively.

$MAC\_KEY = \text{initial } MAC\_KEY\_LEN \text{ bytes of } K$

$ENC\_KEY = \text{final } ENC\_KEY\_LEN \text{ bytes of } K$

$S = \text{CBC-ENC}(ENC\_KEY, P \parallel PS),$

$T = \text{MAC}(MAC\_KEY, A \parallel S \parallel AL),$

$C = S \parallel T.$

## **2.2. Decryption**

The authenticated decryption operation has four inputs:  $K$ ,  $N$ , and  $A$ , as defined above, and the Ciphertext  $C$ . It has only a single output, either a plaintext value  $P$  or a special symbol FAIL that indicates that the inputs are not authentic. The authenticated decryption algorithm takes is as follows, or uses an equivalent set of steps:

1. The secondary keys  $MAC\_KEY$  and  $ENC\_KEY$  are generated from the input key  $K$  as in Step 1 of [Section 2.1](#).
2. The final  $T\_LEN$  octets are stripped from  $C$ . Here  $T\_LEN$  denotes the number of octets in the MAC, which is a fixed parameter of the AEAD algorithm. We denote the initial octets of  $C$  as  $S$ , and denote the final  $T\_LEN$  octets as  $T$ .
3. The integrity and authenticity of  $A$  and  $C$  are checked by computing HMAC with the inputs as in Step 6 of [Section 2.1](#). The value  $T$ , from the previous step, is compared to the HMAC output. If those values are identical, then  $A$  and  $C$  are considered valid, and processing is continued. Otherwise, all of the data used in the MAC validation are discarded, and the AEAD decryption operation returns an indication that it failed, and the operation halts.
4. The value  $S$  is decrypted, using the initial 16 octets of the ciphertext as the IV. The value  $ENC\_KEY$  is used as the decryption key.



5. The padding string is removed. Note that the length of PS can be inferred from the value of the final octet of P || PS, if that value is between 00 and 0F (hexadecimal). If the final octet has a value outside that range, then all of the data used in the processing of the message is zeroized and discarded, and the AEAD decryption operation returns an indication that it failed, and the operation halts.
6. The plaintext value is returned.

### **2.3. Length**

The length of the ciphertext can be inferred from that of the plaintext. The number L of octets in the ciphertext is given by

$$L = 16 * (\text{floor}(M / 16) + 2)$$

where M denotes the number of octets in the plaintext, and the function floor() rounds its argument down to the nearest integer. This fact is useful to applications that need to reserve space for a ciphertext within a message or data structure.

### **2.4. AEAD\_AES\_128\_CBC\_HMAC\_SHA\_256**

This algorithm is randomized and stateless. It is based on the CBC-HMAC algorithm detailed above. It uses the HMAC message authentication code [[RFC2104](#)] with the SHA-256 hash function [[FIPS186-2](#)] to provide message authentication, with the HMAC output truncated to 128 bits, corresponding to the HMAC-SHA-256-128 algorithm defined in [[RFC4868](#)]. For encryption, it uses AES in the cipher block chaining (CBC) mode of operation as defined in [Section 6.2](#) of [[SP800-38](#)], with the padding method used by PEM, PKCS, and TLS.

The input key K is 32 octets long.

The AES CBC IV is 16 octets long. ENC\_KEY\_LEN is 16 octets.

The SHA-256 hash algorithm is used in HMAC. MAC\_KEY\_LEN is 16 octets. The HMAC-SHA-256 output is truncated to T\_LEN=16 octets, by stripping off the final 16 octets. Test cases for HMAC-SHA-256 are provided in [[RFC4231](#)].

The lengths of the inputs are restricted as follows:

K\_LEN is 48 octets,



P\_MAX is  $2^{64} - 1$  octets,

A\_MAX is  $2^{64} - 1$  octets,

N\_MIN is zero octets,

N\_MAX is  $2^{64}$  octets, and

C\_MAX is  $2^{64} + 47$  octets.

#### **2.5. AEAD\_AES\_192\_CBC\_HMAC\_SHA\_384**

AEAD\_AES\_192\_CBC\_HMAC\_SHA\_384 is based on  
AEAD\_AES\_128\_CBC\_HMAC\_SHA\_256, but with the following differences:

AES-192 is used instead of AES-128.

SHA-384 is used in HMAC instead of SHA-256.

ENC\_KEY\_LEN is 24 octets.

MAC\_KEY\_LEN is 24 octets.

The length of the input key K is 48 octets.

The HMAC-SHA-384 value is truncated to T\_LEN=24 octets instead of  
16 octets.

The input length restrictions are as for  
AEAD\_AES\_CBC\_128\_HMAC\_SHA\_256.

#### **2.6. AEAD\_AES\_256\_CBC\_HMAC\_SHA\_384**

AEAD\_AES\_256\_CBC\_HMAC\_SHA\_384 is based on  
AEAD\_AES\_128\_CBC\_HMAC\_SHA\_256, but with the following differences:

AES-256 is used instead of AES-128.

SHA-384 is used in HMAC instead of SHA-256.

ENC\_KEY\_LEN is 32 octets.

MAC\_KEY\_LEN is 24 octets.

The length of the input key K is 56 octets.

The HMAC-SHA-384 value is truncated to T\_LEN=24 octets instead of  
16 octets.





The input length restrictions are as for  
AEAD\_AES\_CBC\_128\_HMAC\_SHA\_256.

## **2.7. AEAD\_AES\_256\_CBC\_HMAC\_SHA\_512**

AEAD\_AES\_256\_CBC\_HMAC\_SHA\_512 is based on  
AEAD\_AES\_128\_CBC\_HMAC\_SHA\_256, but with the following differences:

AES-256 is used instead of AES-128.

SHA-512 is used in HMAC instead of SHA-256.

ENC\_KEY\_LEN is 32 octets.

MAC\_KEY\_LEN is 32 octets.

The length of the input key K is 64 octets.

The HMAC-SHA-512 value is truncated to T\_LEN=32 octets instead of  
16 octets.

The input length restrictions are as for  
AEAD\_AES\_CBC\_128\_HMAC\_SHA\_256.

## **2.8. AEAD\_AES\_128\_CBC\_HMAC\_SHA1**

AEAD\_AES\_128\_CBC\_HMAC\_SHA1 is based on AEAD\_AES\_128\_CBC\_HMAC\_SHA\_256,  
but with the following differences:

HMAC-SHA1 is used instead of HMAC-SHA-256. Test cases for HMAC-  
SHA1 are provided in [[RFC2202](#)].

MAC\_KEY\_LEN is 20 octets.

The length of the input key K is 36 octets.

The HMAC-SHA-1 value is truncated to T\_LEN=12 octets instead of 16  
octets. (Note that this matches the truncation used in  
[[RFC2404](#)].)

The input length restrictions are as for  
AEAD\_AES\_CBC\_128\_HMAC\_SHA\_256.

## **2.9. Summary**

The parameters of the CBC-HMAC algorithms are summarized in the  
following table.



algorithm	ENC_KEY_LEN	MAC_KEY_LEN	T_LEN
AEAD_AES_128_CBC_HMAC_SHA_256	16	16	16
AEAD_AES_192_CBC_HMAC_SHA_384	24	24	24
AEAD_AES_256_CBC_HMAC_SHA_384	32	24	24
AEAD_AES_256_CBC_HMAC_SHA_512	32	32	32
AEAD_AES_128_CBC_HMAC_SHA1	16	20	12



### **3. Randomness Requirements**

Each IV MUST be unpredictable to the adversary. It MAY be chosen uniformly at random, in which case it SHOULD have min-entropy within one bit of `len(IV)`. Alternatively, it MAY be generated pseudorandomly, using any method that provides the same level of security as the block cipher in use. However, if a pseudorandom method is used, that method MUST NOT make use of `ENC_KEY` or `MAC_KEY`.

SP 800-90 describes suitable pseudorandom generators.

#### 4. Rationale

The CBC-HMAC AEAD algorithms defined in this note are intended to be useful in the following applications:

systems that have the CBC and HMAC algorithms available, but do not have dedicated AEAD algorithms such as GCM or CCM [[RFC5116](#)],

scenarios in which AEAD is useful, but it is undesirable to have the application maintain a deterministic nonce; see [Section 4 of \[RFC5116\]](#) for more background,

new systems, such as JSON Cryptography and W3C Web Crypto, which can omit unauthenticated symmetric encryption altogether by providing CBC and HMAC through an AEAD interface.

These algorithms are not intended to replace existing uses of AES-CBC and HMAC, except in those circumstances where the existing use is not sufficiently secure or sufficiently general-purpose.

The length of the associated data input A is included in the HMAC input to ensure that the encrypter and the decrypter have the same understanding of that length. Because of this, an attacker cannot trick the receiver into interpreting the initial bytes of C as the final bytes of A, or vice-versa.

The padding method used in this note is based on that of Privacy Enhanced Mail (PEM) and the Public Key Cryptography Standards (PKCS), because it is implemented in many environments.

The encrypt-then-MAC method is used because of its better security properties. It would be possible to define AEAD algorithms based on the MAC-encode-encrypt (MEE) method that is used by the Transport Layer Security (TLS) protocol [[RFC5246](#)]. That alternative would provide more code-sharing opportunities for an implementation that is co-resident with a TLS implementation. It is possible (but tricky) to implement MEE in a way that provides good security, as was shown in [[PRS11](#)]. But its negatives outweigh its positives; its security is inadequate for some parameter choices, and it has proven to be difficult to implement in a way that resists padding oracle and related timing attacks [[V02](#)] [[CHVV03](#)] [[M04](#)] [[DP10](#)] [[AP12](#)]. For future uses of CBC and HMAC, it is better to use encrypt-then-MAC."

This note uses HMAC-SHA1 because it is widely deployed and is adequately secure, and HMAC-SHA-2, because it is used in newer standards and is expected to become widely deployed. It has been recently announced that the SHA-3 standard will be based on KECCAK, but this note does not incorporate that hash function. To do so





would be to speculate on the final form of the SHA-3 standard. In addition, while the use of KECCAK as a hash function is straightforward, there are multiple options for its use in authenticated encryption. The focus of this note is the definition of AEAD algorithms based on currently used cryptographic mechanisms, so SHA-3 is out of scope.

## **5. Test Cases**

A future version of this note will contain test cases for all of the AEAD algorithms that it defines.

## 6. Security Considerations

An earlier version of this document benefitted from some review. Comments on this version are requested and should be forwarded to the IRTF Crypto Forum Research Group (CFRG).

The algorithms defined in this document use the generic composition of CBC encryption with HMAC authentication, with the encrypt-then-MAC method defined in Section 4.3 of [BN00]. This method has sound and well-understood security properties; for details, please see that reference. Note that HMAC is a good pseudorandom function and is "strongly unforgeable", and thus meets all of the security goals of that reference.

During the decryption process, the inputs A and C are mapped into the input of the HMAC algorithm. It is essential for security that each possible input to the MAC algorithm corresponds unambiguously to exactly one pair (A, C) of possible inputs. The fact that this property holds can be verified as follows. The HMAC input is  $X = A || C || \text{len}(A)$ . Let (A,C) and (A',C') denote two distinct input pairs, in which either 1)  $A \neq A'$  and  $C = C'$ , 2)  $C \neq C'$  and  $A = A'$ , or 3) both inequalities hold. We also let  $X' = A' || C' || \text{len}(A')$ . In cases 1 and 2,  $X \neq X'$  follows immediately. In case 3, if  $\text{len}(A) \neq \text{len}(A')$ , then  $X \neq X'$  directly. If  $\text{len}(A) = \text{len}(A')$ , then  $X \neq X'$  follows from the fact that the initial  $\text{len}(A)$  bits of X and X' must be distinct.

There are security benefits to providing both confidentiality and authentication in a single atomic operation, as done in this note. This tight binding prevents subtle attacks such as the padding oracle attack.

As with any block cipher mode of operation, the security of AES-CBC degrades as the amount of data that is process increases. Each fixed key value SHOULD NOT be used to protect more than  $2^{64}$  bytes of data. This limit ensures that the AES-CBC algorithm will stay under the birthday bound, i.e. because of the limit, it is unlikely that there will be two AES plaintext inputs that are equal. (If this event occurs, information about the colliding plaintexts is leaked, so it is desirable to bound the amount of plaintext processed in order to make it unlikely.)



## **7. Acknowledgements**

Thanks are due to Matt Miller and John Foley for their constructive feedback; special thanks to John for his generation of the test cases. Thanks also to Kelly Burgin and Michael Peck for their suggestions and help.

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## **Appendix A. CBC Encryption and Decryption**

The Cipher Block Chaining (CBC) mode of operation is defined in [SP800-38]. This section recalls how that mode works, for the convenience of the reader. The following notation is used:

$K$  denotes the key of the underlying block cipher,

The function  $CIPHER(K, P)$  denotes the encryption of the block  $P$  with the block cipher,

The function  $CIPHER-INV(K, C)$  denotes the decryption of the block  $C$  with the block cipher; this is the inverse operation of  $CIPHER()$ , and  $CIPHER-INV(K, CIPHER(K, P)) = P$  for all  $P$  and all  $K$ .

$P_1, P_2, \dots, P_n$  denotes the sequence of plaintext blocks, where each block contains exactly the number of bits that the block cipher accepts as its plaintext input,

$C_0, C_1, C_2, \dots, C_n$  denotes the sequence of ciphertext blocks, where each block contains exactly the number of bits that the block cipher accepts as its plaintext input,

$P_i$  and  $C_i$  denote the  $i$ th blocks of the plaintext, and

$IV$  denotes the initialization vector, which contains exactly the number of bits that the block cipher accepts as its plaintext input.

The CBC encryption operation (denoted as CBC-ENC) takes as input a sequence of  $n$  plaintext blocks and produces a sequence of  $n + 1$  ciphertext blocks as follows:

$$\begin{aligned} IV &= \text{random} \\ C_i &= IV && \text{if } i=0, \\ &\quad \backslash CIPHER(K, P_i \text{ XOR } C_{i-1}) && \text{if } i=1, 2, \dots, n. \end{aligned}$$

The  $IV$  MUST be generated using a uniformly random process, or a pseudorandom process with a cryptographic strength equivalent to that of the underlying block cipher. It MUST NOT be predictable to an attacker; in particular, it MUST NOT be set to the value of any previous ciphertext blocks.

The CBC decryption operation (denoted as CBC-DEC) takes as input a sequence of  $m$  ciphertext blocks and produces a sequence of  $m-1$  plaintext blocks as follows:

$$P_i = CIPHER-INV(K, P_1 \text{ XOR } IV) \quad \text{for } i=1, 2, \dots, n.$$



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