

## A Description of the MISTY1 Encryption Algorithm

<[draft-ohta-misty1desc-00.txt](#)>

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### [1. Introduction](#)

This document describes a secret-key cryptosystem MISTY1, which is block cipher with a 128-bit key, a 64-bit block and a variable number of rounds. It is designed on the basis of the theory of provable security against differential and linear cryptanalysis, and moreover it realizes high-speed encryption on hardware platforms as well as on software environments.

Our implementation shows that MISTY1 with eight rounds can encrypt a data stream in CBC mode at a speed of 20Mbps and 40Mbps on Pentium/100MHz and PA-7200/120MHz, respectively. For its hardware performance, we have produced a prototype LSI by a process of 0.5-micron CMOS gate-array and confirmed a speed of 450Mbps.

### [2. Algorithm Description](#)

Algorithm [1] could be divided into two parts, namely "key scheduling part" and "data randomizing part". Key scheduling part takes a 128-

bit input key and produces a 128-bit expanded key. Data randomizing part takes a 64-bit input data and mixes it, namely encryption. If data randomizing part is processed in reverse order, mixed data returns to input data, namely decryption.

### **2.1 Key Scheduling Part**

Key scheduling part consists of the following operations.

```
for i = 0, ..., 7 do
    EK[i] = K[i*2]*256 + K[i*2+1];
for i = 0, ..., 7 do
begin
    EK[i+8] = FI(EK[i], EK[(i+1)%8]);
    EK[i+16] = EK[i+8] & 0x1ff;
    EK[i+24] = EK[i+8] >> 9;
end
```

K is an input key, and each element of K, namely K[i], holds an 8-bit of the key, respectively. EK denotes an expanded key, and each element of EK, namely EK[i], holds a 16-bit of the expanded key. Input data of K[0], ..., K[15] are copied to EK[0], ..., EK[7]. Expanded key is produced from EK[0], ..., EK[7] by using function FI, and stored in EK[8], ..., EK[15]. Function FI is described in the following section.

### **2.2 Data Randomizing Part**

Data randomizing part uses two kinds of function, which are called function F0 and function FL. Function F0 calls another function, namely FI. The key expansion part also uses function FI. Function FI uses two S-boxes, namely S7, S9. Each function is described as follows.

Function F0 takes two parameters. One is a 32-bit width input data, namely F0\_IN. The other is an index of EK, namely k. And F0 returns a 32-bit width data, namely F0\_OUT.

```
F0(F0_IN, k)
begin
    var t0, t1 as 16-bit integer;
    t0 = F0_IN >> 16;
    t1 = F0_IN & 0xffff;
    t0 = t0 ^ EK[k];
    t0 = FI(t0, EK[(k+5)%8+8]);
    t0 = t0 ^ t1;
    t1 = t1 ^ EK[(k+2)%8];
    t1 = FI(t1, EK[(k+1)%8+8]);
```

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```

t1 = t1 ^ t0;
t0 = t0 ^ EK[(k+7)%8];
t0 = FI(t0, EK[(k+3)%8+8]);
t0 = t0 ^ t1;
t1 = t1 ^ EK[(k+4)%8];
FO_OUT = (t1<<16) | t0;
return FO_OUT;
end.

```

Function FI takes two parameters. One is a 16-bit width input data, namely FI\_IN. The other is a part of EK, namely FI\_KEY, which is also 16-bit width. And FI returns a 16-bit width data, namely FI\_OUT.

```

FI(FI_IN, FI_KEY)
begin
  var d9 as 9-bit integer;
  var d7 as 7-bit integer;
  d9 = FI_IN >> 7;
  d7 = FI_IN & 0x7f;
  d9 = S9TABLE[d9] ^ d7;
  d7 = S7TABLE[d7] ^ d9;
  ( d7 = d7 & 0x7f; )
  d7 = d7 ^ (FI_KEY >> 9);
  d9 = d9 ^ (FI_KEY & 0x1ff);
  d9 = S9TABLE[d9] ^ d7;
  FI_OUT = (d7<<9) | d9;
  return FI_OUT;
end.

```

S7TABLE and S9TABLE denote the S-boxes S7 and S9 respectively in terms of look up table notation. Here are the description of S7TABLE and S9TABLE in hexadecimal notation.

#### S7TABLE:

	0	1	2	3	4	5	6	7	8	9	a	b	c	d	e	f
00:	1b	32	33	5a	3b	10	17	54	5b	1a	72	73	6b	2c	66	49
10:	1f	24	13	6c	37	2e	3f	4a	5d	0f	40	56	25	51	1c	04
20:	0b	46	20	0d	7b	35	44	42	2b	1e	41	14	4b	79	15	6f
30:	0e	55	09	36	74	0c	67	53	28	0a	7e	38	02	07	60	29
40:	19	12	65	2f	30	39	08	68	5f	78	2a	4c	64	45	75	3d
50:	59	48	03	57	7c	4f	62	3c	1d	21	5e	27	6a	70	4d	3a
60:	01	6d	6e	63	18	77	23	05	26	76	00	31	2d	7a	7f	61
70:	50	22	11	06	47	16	52	4e	71	3e	69	43	34	5c	58	7d

#### S9TABLE:

	0	1	2	3	4	5	6	7	8	9	a	b	c	d	e	f
000:	1c3	0cb	153	19f	1e3	0e9	0fb	035	181	0b9	117	1eb	133	009	02d	0d3

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```

010: 0c7 14a 037 07e 0eb 164 193 1d8 0a3 11e 055 02c 01d 1a2 163 118
020: 14b 152 1d2 00f 02b 030 13a 0e5 111 138 18e 063 0e3 0c8 1f4 01b
030: 001 09d 0f8 1a0 16d 1f3 01c 146 07d 0d1 082 1ea 183 12d 0f4 19e
040: 1d3 0dd 1e2 128 1e0 0ec 059 091 011 12f 026 0dc 0b0 18c 10f 1f7
050: 0e7 16c 0b6 0f9 0d8 151 101 14c 103 0b8 154 12b 1ae 017 071 00c
060: 047 058 07f 1a4 134 129 084 15d 19d 1b2 1a3 048 07c 051 1ca 023
070: 13d 1a7 165 03b 042 0da 192 0ce 0c1 06b 09f 1f1 12c 184 0fa 196
080: 1e1 169 17d 031 180 10a 094 1da 186 13e 11c 060 175 1cf 067 119
090: 065 068 099 150 008 007 17c 0b7 024 019 0de 127 0db 0e4 1a9 052
0a0: 109 090 19c 1c1 028 1b3 135 16a 176 0df 1e5 188 0c5 16e 1de 1b1
0b0: 0c3 1df 036 0ee 1ee 0f0 093 049 09a 1b6 069 081 125 00b 05e 0b4
0c0: 149 1c7 174 03e 13b 1b7 08e 1c6 0ae 010 095 1ef 04e 0f2 1fd 085
0d0: 0fd 0f6 0a0 16f 083 08a 156 09b 13c 107 167 098 1d0 1e9 003 1fe
0e0: 0bd 122 089 0d2 18f 012 033 06a 142 0ed 170 11b 0e2 14f 158 131
0f0: 147 05d 113 1cd 079 161 1a5 179 09e 1b4 0cc 022 132 01a 0e8 004
100: 187 1ed 197 039 1bf 1d7 027 18b 0c6 09c 0d0 14e 06c 034 1f2 06e
110: 0ca 025 0ba 191 0fe 013 106 02f 1ad 172 1db 0c0 10b 1d6 0f5 1ec
120: 10d 076 114 1ab 075 10c 1e4 159 054 11f 04b 0c4 1be 0f7 029 0a4
130: 00e 1f0 077 04d 17a 086 08b 0b3 171 0bf 10e 104 097 15b 160 168
140: 0d7 0bb 066 1ce 0fc 092 1c5 06f 016 04a 0a1 139 0af 0f1 190 00a
150: 1aa 143 17b 056 18d 166 0d4 1fb 14d 194 19a 087 1f8 123 0a7 1b8
160: 141 03c 1f9 140 02a 155 11a 1a1 198 0d5 126 1af 061 12e 157 1dc
170: 072 18a 0aa 096 115 0ef 045 07b 08d 145 053 05f 178 0b2 02e 020
180: 1d5 03f 1c9 1e7 1ac 044 038 014 0b1 16b 0ab 0b5 05a 182 1c8 1d4
190: 018 177 064 0cf 06d 100 199 130 15a 005 120 1bb 1bd 0e0 04f 0d6
1a0: 13f 1c4 12a 015 006 0ff 19b 0a6 043 088 050 15f 1e8 121 073 17e
1b0: 0bc 0c2 0c9 173 189 1f5 074 1cc 1e6 1a8 195 01f 041 00d 1ba 032
1c0: 03d 1d1 080 0a8 057 1b9 162 148 0d9 105 062 07a 021 1ff 112 108
1d0: 1c0 0a9 11d 1b0 1a6 0cd 0f3 05c 102 05b 1d9 144 1f6 0ad 0a5 03a
1e0: 1cb 136 17f 046 0e1 01e 1dd 0e6 137 1fa 185 08c 08f 040 1b5 0be
1f0: 078 000 0ac 110 15e 124 002 1bc 0a2 0ea 070 1fc 116 15c 04c 1c2

```

Function FL takes two parameters. One is a 32-bit data, namely FL\_IN. The other is an index of EK, namely k. And FL returns a 32-bit width data, namely FL\_OUT.

```

FL(FL_IN, k)
begin
    var d0, d1 as 16-bit integer;
    d0 = FL_IN >> 16;
    d1 = FL_IN & 0xffff;
    if (k is an even number) then
        d1 = d1 ^ (d0 & EK[k/2]);
        d0 = d0 ^ (d1 | EK[(k/2+6)%8+8]);
    else
        d1 = d1 ^ (d0 & EK[((k-1)/2+2)%8+8]);
        d0 = d0 ^ (d1 | EK[((k-1)/2+4)%8]);
    endif

```

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```

FL_OUT = (d0<<16) | d1;
return FL_OUT;
end.

```

When the algorithm is used for decryption, function FLINV is used instead of function FL.

```

FLINV(FL_IN, k)
begin
    var d0, d1 as 16-bit integer;
    d0 = FL_IN >> 16;
    d1 = FL_IN & 0xffff;
    if (k is an even number) then
        d0 = d0 ^ (d1 | EK[(k/2+6)%8+8]);
        d1 = d1 ^ (d0 & EK[k/2]);
    else
        d0 = d0 ^ (d1 | EK[((k-1)/2+4)%8]);
        d1 = d1 ^ (d0 & EK[((k-1)/2+2)%8+8]);
    endif
    FL_OUT = (d0<<16) | d1;
    return FL_OUT;
end.

```

In most cases, data randomizing part consists of 8 "rounds". Round contains the call of function F0. Additionally, even-number round includes the calls of function FL. After the final round, FLs are called again. The detail description is as follows.

64-bit plaintext P is divided into the leftmost 32-bit D0 and the rightmost 32-bit D1.

```

// 0 round
D0 = FL(D0, 0);
D1 = FL(D1, 1);
D1 = D1 ^ F0(D0, 0);
// 1 round
D0 = D0 ^ F0(D1, 1);
// 2 round
D0 = FL(D0, 2);
D1 = FL(D1, 3);
D1 = D1 ^ F0(D0, 2);
// 3 round
D0 = D0 ^ F0(D1, 3);
// 4 round
D0 = FL(D0, 4);
D1 = FL(D1, 5);
D1 = D1 ^ F0(D0, 4);
// 5 round

```

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```

D0 = D0 ^ FO(D1, 5);
// 6 round
D0 = FL(D0, 6);
D1 = FL(D1, 7);
D1 = D1 ^ FO(D0, 6);
// 7 round
D0 = D0 ^ FO(D1, 7);
// final
D0 = FL(D0, 8);
D1 = FL(D1, 9);

```

64-bit ciphertext C is constructed from D0 and D1 as following operation.

```
C = (D1<<32) | D0;
```

When data randomizing part is used as decrypting operation, it should be executed in reverse order. The detail description is as follows.

```

D0 = C & 0xffffffff;
D1 = C >> 32;
D0 = FLINV(D0, 8);
D1 = FLINV(D1, 9);
D0 = D0 ^ FO(D1, 7);
D1 = D1 ^ FO(D0, 6);
D0 = FLINV(D0, 6);
D1 = FLINV(D1, 7);
D0 = D0 ^ FO(D1, 5);
D1 = D1 ^ FO(D0, 4);
D0 = FLINV(D0, 4);
D1 = FLINV(D1, 5);
D0 = D0 ^ FO(D1, 3);
D1 = D1 ^ FO(D0, 2);
D0 = FLINV(D0, 2);
D1 = FLINV(D1, 3);
D0 = D0 ^ FO(D1, 1);
D1 = D1 ^ FO(D0, 0);
D0 = FLINV(D0, 0);
D1 = FLINV(D1, 1);
P = (D0<<32) | D1;

```

## Security Considerations

The algorithm, which is described in this document, is designed in consideration of the theory of provable security against differential cryptanalysis and linear cryptanalysis [2][3][4]. According to the recent result, when the algorithm consists of 8 rounds, both differential characteristic probability and liner characteristic

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probability are  $2^{-140}$ . For reference, probabilities of DES are  $2^{-62}$  and  $2^{-46}$ , respectively.

#### Legal Issues

The algorithm description is applied for a patent in several countries as PCT/JP96/02154. However, the algorithm is freely available for academic (non-profit) use.

#### References

- [1] M. Matsui, "New Block Encryption Algorithm MISTY", Fast Software Encryption - 4th International Workshop (FSE'97), LNCS 1267, Springer Verlag, 1997, pp.54-68
- [2] K. Nyberg and L.R. Knudsen, "Provable Security Against a Differential Attack", Journal of Cryptology, Vol.8, No.1, 1995, pp. 27-37
- [3] K. Nyberg, "Linear Approximation of Block Ciphers", Advances in Cryptology - Eurocrypt'94, LNCS 950, Springer Verlag, 1995, pp.439-444
- [4] M. Matsui, "New Structure of Block Ciphers with Provable Security Against Differential and Linear Cryptanalysis", Fast Software Encryption - Third International Workshop, LNCS 1039, Springer Verlag, 1996, pp.205-218

#### Appendix A. Example Data of MISTY1

Here is an example ciphertext of MISTY1 when the key and the plaintext are set as following value.

Key: 00 11 22 33 44 55 66 77 88 99 aa bb cc dd ee ff  
Plaintext: 01 23 45 67 89 ab cd ef fe dc ba 98 76 54 32 10  
Ciphertext: 8b 1d a5 f5 6a b3 d0 7c 04 b6 82 40 b1 3b e9 5d

In the above example, because the plaintext has a length of 128-bit, MISTY1 is used two times to each 64-bit.

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