

# Asynchronous Deterministic Networking (ADN) Framework for Large scale networks

draft-joung-detnet-asynch-detnet-framework-02

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# Latency guarantee framework revised in **version 02**

## ① Work Conserving Stateless Core Fair queuing (C-SCORE)

- FT, Finish time  $F(p)$  = Service order of packet  $p$ . Smaller  $F$  gets earlier service.
- At entrance node 0:  $F_0(p) = \max\{F_0(p-1), A_0(p)\} + L(p)/r$ ;
- At core node  $h$ :  $F_h(p) = F_{h-1}(p) + d_h(p)$ .

- If  $d_h(p) = L_{\max_{h-1}}/R_{h-1} + L/r$ ,

- Then the E2E latency of  $p$ 's flow is **bounded** [Kaur] by

$$\frac{B - L}{r} + \sum_{h=0}^H \left( \frac{L_{\max_h}}{R_h} + L/r \right)$$

- where  $H$  is the last hop of the  $p$ 's flow.

$\frac{L_{\max_h}}{R_h}$  is the only term external & can be negligible.

This bound is same as the fair queuing with flow-state (PGPS, etc.)

- E.g., 1Gbps links, 1Kbits max pkt length & Burst, 10Mbps service rate, 10 hops  
→  $10 \times (1\mu s + 100\mu s) = 1.01\text{ms}$  E2E latency bound
- $B, L, r$  are flow specific, which can be controlled according to requirement
  - Need a smaller bound? Then request a larger service rate, and reduce burst & pkt length.
- Implementation:
  - **Sorted queue** e.g. Queue per Input-port, Push-in First Out manner
  - Meta-data:  $F_{h-1}(p)$ ,  $L_{\max_{h-1}}/R_{h-1}$ ,  $L/r$ . ( $L_{\max_{h-1}}/R_{h-1}$  can be signaled in control plane.)
  - Or  $F_h(p)$ . (It can be pre-calculated at  $h-1$ .)

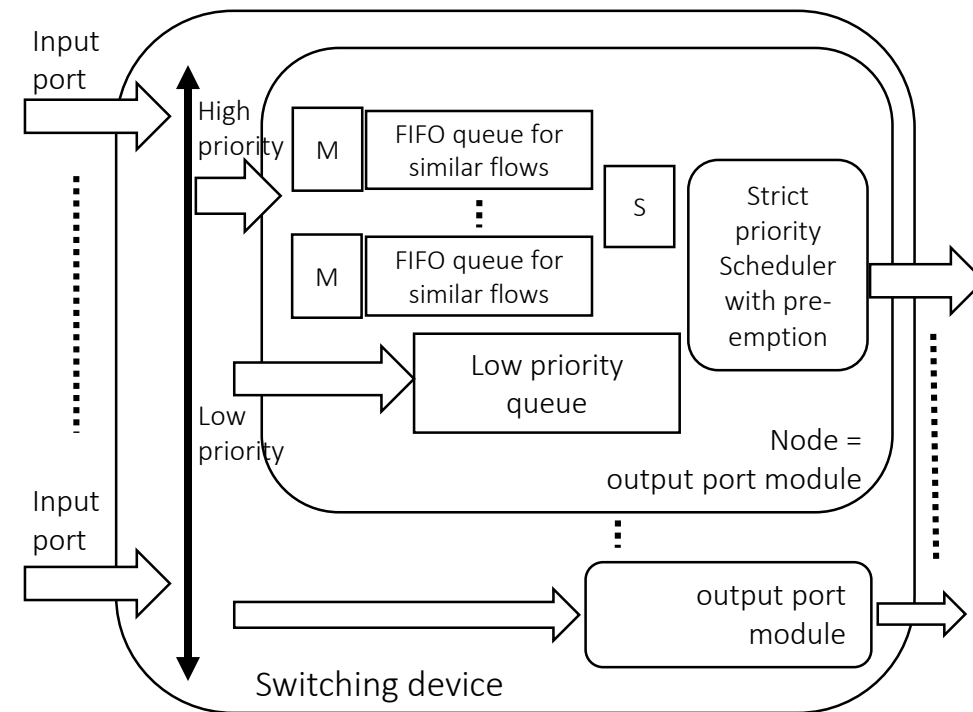
Symbol	Definition
$F_h(p)$	'Finish time' of packet $p$ at node $h$
$A_h(p)$	Arrival time of $p$ at $h$
$L(p)$	Length of $p$
$L$	Max Packet Length of $p$ 's flow
$r$	Service rate of $p$ 's flow
$B$	Max Burst size of $p$ 's flow
$L_{\max_h}$	Max Packet Length at node $h$
$R_h$	Link capacity of $h$
$H$	Last node of $p$ 's path
PGPS	Packetized Generalized Processor Sharing

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## ② Work Conserving Stateless Core Fair queuing (C-SCORE)

### with FIFO queues

- FT, Finish time  $F(p)$  = Service order of packet  $p$ . Smaller  $F$  gets earlier service.
- At entrance node 0:  $F_0(p) = \max\{F_0(p-1), A_0(p)\} + L(p)/r$ ;
- At core node  $h$ :  $F_h(p) = F_{h-1}(p) + d_h(p)$ .
- $d_h(p) = L \max_{h-1} / R_{h-1} + L/r$ .
- Implementation:
  - Assume there are finite number of flow types (e.g. similar  $L$  and  $r$ )
  - Queue per a set of similar types of flows
  - First in First Out manner
- Simulation shows almost the same E2E bound with the previous one with PIFO queues.



M: Finish time (F) marker.

S: HoQ examine & select the min FT

# Simulation setup

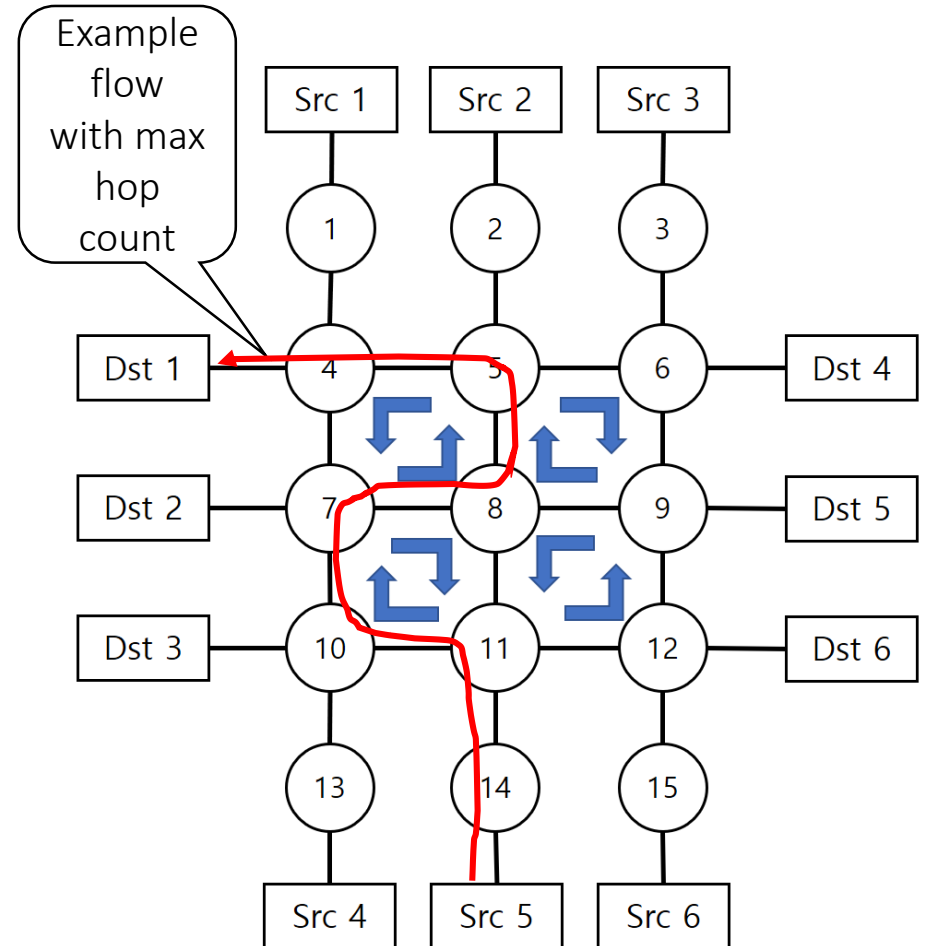
- Three flow types

Flow type	Maximum burst size	Maximum Packet length	Destination
A	200Kbit	10Kbit	0, 5
B	200Kbit	10Kbit	2, 3
C	20Kbit	2Kbit	1, 4

We are interested in Type C because it's smooth. It has to be protected from other bursty flows.

Utilization	Service rate [Mbps]		
	A	B	C
70%	98.571	9.857	98.571
75%	105.714	10.571	105.714
80%	112.619	11.262	112.619
85%	119.762	11.976	119.762
90%	126.667	12.667	126.667
95%	133.81	13.381	133.81

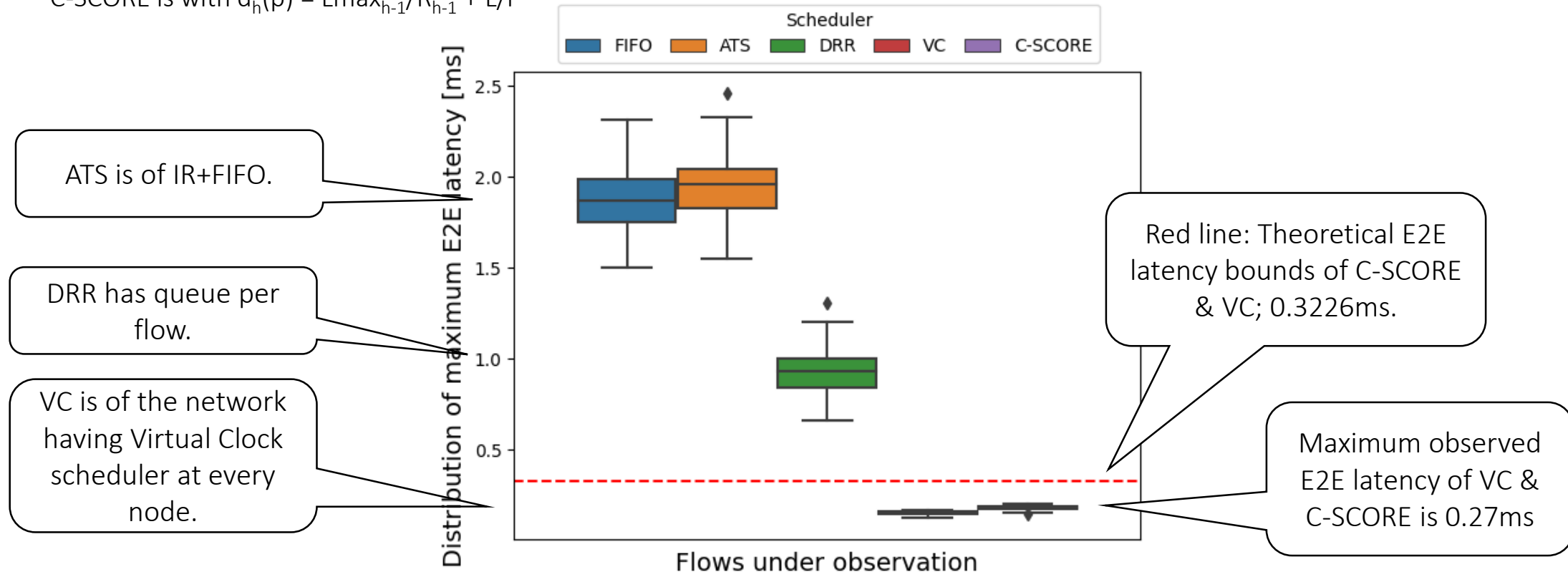
- 1Gbps links
- Flow service rate = arrival rate
- A source generates a flow for each destination, total six flows.
  - A flow's destination decides its type.
- Total 36 flows
- Max 7 hops. A flow's path follows the blue arrows in the right figure.
- Utilization value is of bottleneck links



# Simulations for 1

- 90% Utilization
- In a single simulation run, a source generates 1000 packets.
- Record the **observed max E2E latency**. One max value per run.
- 100 runs with random seeds → Box plot those max values.
- C-SCORE is with  $d_h(p) = L_{\max_{h-1}}/R_{h-1} + L/r$

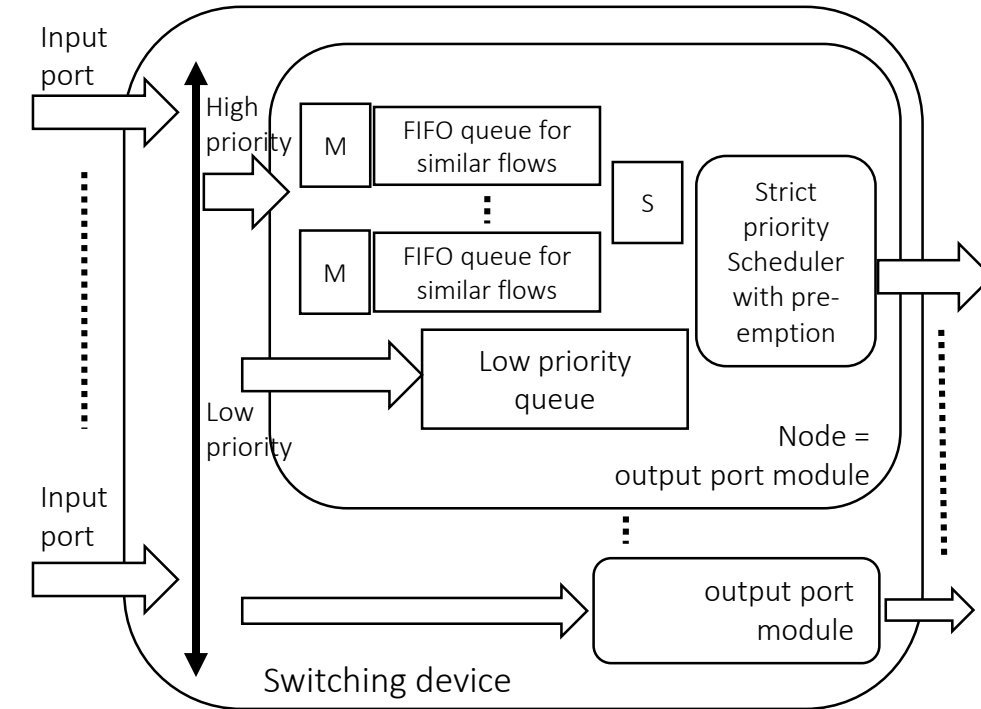
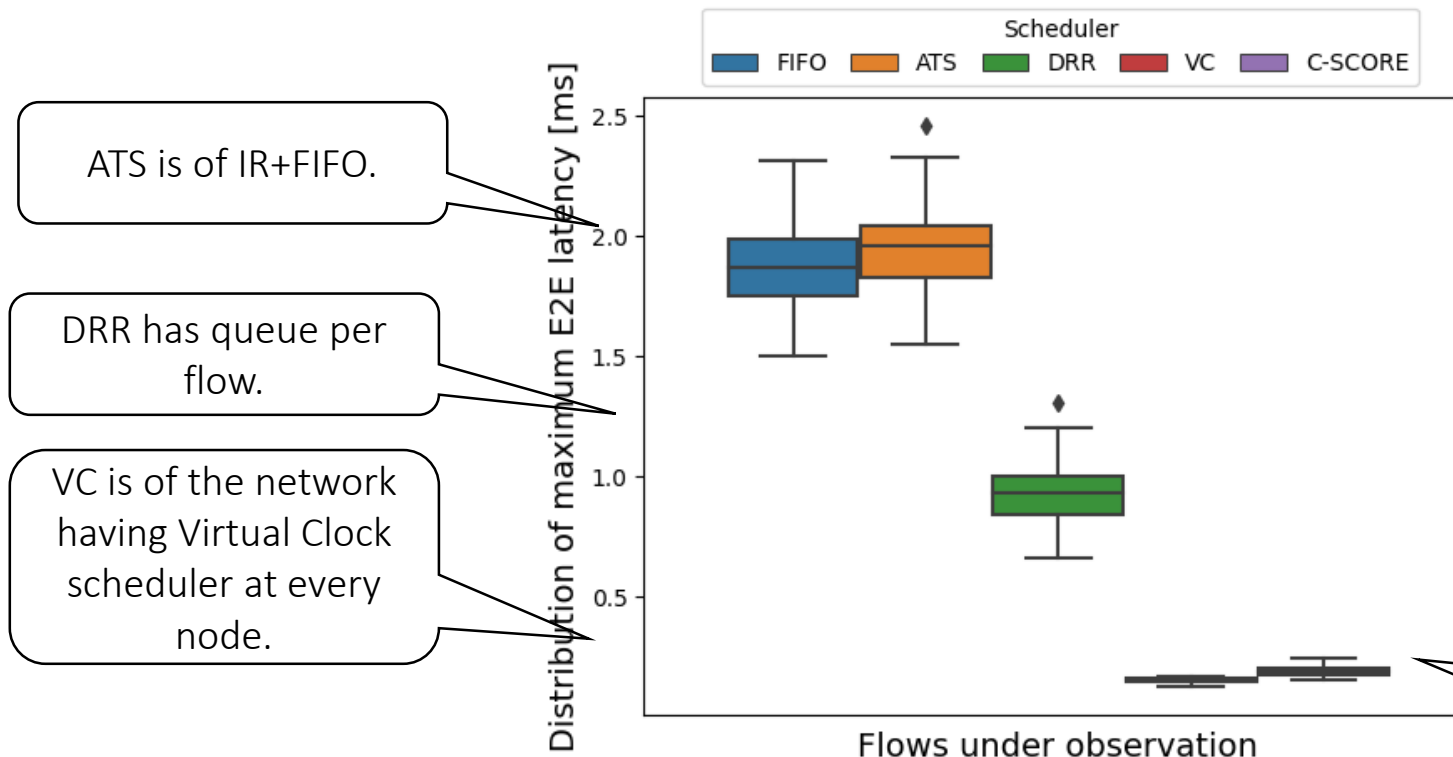
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# Simulations for ②

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- C-SCORE is with  $d_h(p) = L_{\max_{h-1}}/R_{h-1} + L/r$  with **FIFO per flows of same type**

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# Discussion

- Consider an ideal slotted scheduler.
  - Flow arrival rate = 10Mbps
  - 100 **identical** flows
  - Link capacity:  $R = 1\text{Gbps}$
  - All the packet's lengths are **fixed** at  $L = 10\text{Kbits}$ ; No burst ( $B=L$ ).
  - Then the slot (cycle) length would be  $10\text{K}/1\text{G} = 10\mu\text{s}$ ;
  - & the hyper-cycle length =  $100 * \text{slot length} = 1\text{ms}$ , without dead-time or any lost time.
  - Assume every packet **arrives exactly** at the slot to which it is assigned.
  - With  $H$  hops the E2E latency bound is  $H * L/r$ . If  $H = 10$  then **10ms**.
- C-SCORE's in this case is  $H * (\frac{L_{max}}{R} + L/r)$ .
  - It is only  $H * 10\mu\text{s}$  larger, thus **10.1ms**; with all the **robustness, scalability**, & superior **statistical** performance.

# Summary

- C-SCORE with  $d_h(p) = L\max_{h-1}/R_{h-1} + L/r$ 
  - Has a theoretical E2E latency bound,
  - which is the same with the Virtual Clock or PGPS networks
  - Needs a sorted queue
  - Needs a meta-data of  $F_{h-1}(p)$ ,  $L$ ,  $r$ ,  $L\max_{h-1}/R_{h-1}$ . (Or  $F_h(p)$ , pre-calculated at  $h-1$ .)
  - $L\max_{h-1}/R_{h-1}$  can be signaled in control plane.
- C-SCORE with  $d_h(p) = L\max_{h-1}/R_{h-1} + L/r$ ; with FIFO per flow type (of the same  $L$  and  $r$ )
  - Shows similar performance & needs the same metadata
  - Does not need a sorted queue
- C-SCORE with  $d_h(p) = \text{any similar value less than } L\max_{h-1}/R_{h-1} + L/r$ ; with FIFO
  - Shows similar performance (Not shown in this presentation)
  - Needs meta-data of only  $F_{h-1}(p)$ ,  $L$ ,  $r$
- They all perform as if the per-flow states are maintained in all the nodes.



# Thank you

- Please take a look at

<https://datatracker.ietf.org/doc/draft-joung-detnet-async-detnet-framework/>

- Comments and Questions are welcome!
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