



UiO : University of Oslo

# Shared Bottleneck Detection for Coupled Congestion Control for RTP Media (draft-hayes-rmcat-sbd-01)

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[ [simula](#) . research laboratory ]



David Hayes

R / T E

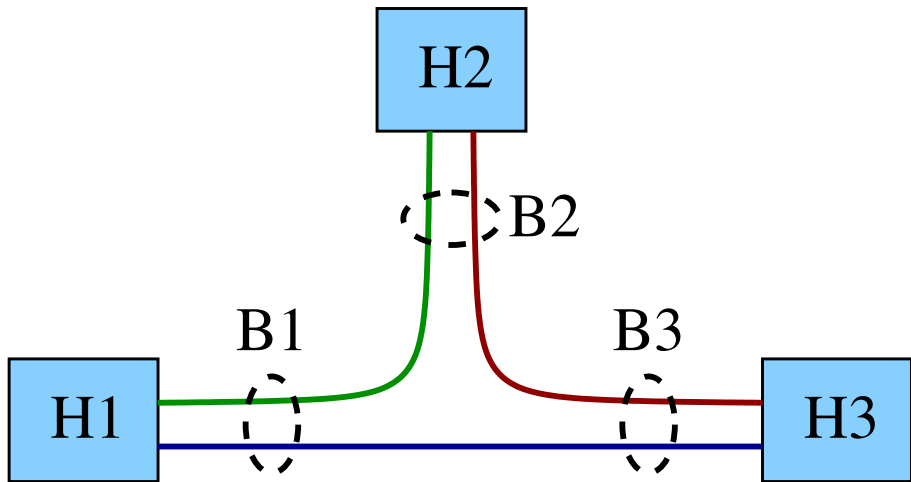
REDUCING INTERNET TRANSPORT LATENCY



IETF'91

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# 3 Host, 3 Links, 3 potential bottlenecks



# Aims

Provide a Shared Bottleneck Detection (SBD) mechanism that:

- ▶ can potentially handle sender and receiver grouped bottlenecks
  - ▶ Initially draft will outline it in terms of sender oriented grouped bottlenecks.
- ▶ requires minimal feedback
- ▶ requires no changes to the network or particular congestion control behaviour
- ▶ can handle future advances
  - ▶ e.g. changes in networks and new signals

# Sender-Receiver Communication

## Initialisation

- ▶ list of summary statistics to be gathered
- ▶ define interval  $T$ , and numbers of intervals  $N$  &  $M$

## Regular Communication

- ▶ Summary statistics every  $T$
- ▶ eventually also relevant receiver detected SBNs



# Summary Statistics

## Why summary statistics?

- ▶ To limit feedback from receivers
- ▶ To deal with noise
- ▶ To deal with lag

## Statistics Used

- ▶ variance – Packet Delay Variation (PDV)
- ▶ skewness (skew\_est)
- ▶ oscillation (freq\_est)

# Skew\_est

skew\_est =

$$\frac{\text{sum\_T}(\text{OWD} < \text{E\_N}(\text{E\_T}(\text{OWD}))) - \text{sum\_T}(\text{OWD} > \text{E\_N}(\text{E\_T}(\text{OWD})))}{\text{num\_T}(\text{OWD})}$$

where

if (OWD < E\_N(E\_T(OWD))) 1 else 0

if (OWD > E\_N(E\_T(OWD))) 1 else 0

for grouping average over N intervals:

$$\text{E\_N}(\text{skew\_est}) = \text{sum\_N}(\text{skew\_est}) / N$$

# Skew\_est

long term mean over N intervals

skew\_est =

$$\frac{\text{sum\_T}(\text{OWD} < E\_N(E\_T(\text{OWD}))) - \text{sum\_T}(\text{OWD} > E\_N(E\_T(\text{OWD})))}{\text{num\_T}(\text{OWD})}$$

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if (OWD < E\_N(E\_T(OWD))) 1 else 0

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for grouping average over N intervals:

$$E\_N(\text{skew\_est}) = \text{sum\_N}(\text{skew\_est}) / N$$

# Skew\_est

or long term mean over  $M < N$  intervals

skew\_est =

$$\frac{\text{sum\_T}(\text{OWD} < E\_M(E\_T(\text{OWD}))) - \text{sum\_T}(\text{OWD} > E\_M(E\_T(\text{OWD})))}{\text{num\_T}(\text{OWD})}$$

where

if  $(\text{OWD} < E\_N(E\_T(\text{OWD})))$  1 else 0

if  $(\text{OWD} > E\_N(E\_T(\text{OWD})))$  1 else 0

for grouping average over  $N$  intervals:

$$E\_N(\text{skew\_est}) = \text{sum\_N}(\text{skew\_est}) / N$$

# Skew\_est

test each OWD sample as it arrives

skew\_est =

$$\frac{\text{sum\_T}(\text{OWD} < \text{E\_N}(\text{E\_T}(\text{OWD}))) - \text{sum\_T}(\text{OWD} > \text{E\_N}(\text{E\_T}(\text{OWD})))}{\text{num\_T}(\text{OWD})}$$

where

if (OWD < E\_N(E\_T(OWD))) 1 else 0

if (OWD > E\_N(E\_T(OWD))) 1 else 0

for grouping average over N intervals:

$$\text{E\_N}(\text{skew\_est}) = \text{sum\_N}(\text{skew\_est}) / N$$

# Skew\_est

keep running sum of test results in T

skew\_est =

$$\frac{\text{sum\_T}(\text{OWD} < \text{E\_N}(\text{E\_T}(\text{OWD}))) - \text{sum\_T}(\text{OWD} > \text{E\_N}(\text{E\_T}(\text{OWD})))}{\text{num\_T}(\text{OWD})}$$

where

if (OWD < E\_N(E\_T(OWD))) 1 else 0

if (OWD > E\_N(E\_T(OWD))) 1 else 0

for grouping average over N intervals:

$$\text{E\_N}(\text{skew\_est}) = \text{sum\_N}(\text{skew\_est}) / N$$

# Skew\_est

every T, normalise difference of sums

skew\_est =

$$\frac{\text{sum\_T}(\text{OWD} < \text{E\_N}(\text{E\_T}(\text{OWD}))) - \text{sum\_T}(\text{OWD} > \text{E\_N}(\text{E\_T}(\text{OWD})))}{\text{num\_T}(\text{OWD})}$$

where

if (OWD < E\_N(E\_T(OWD))) 1 else 0

if (OWD > E\_N(E\_T(OWD))) 1 else 0

for grouping average over N intervals:

$$\text{E\_N}(\text{skew\_est}) = \text{sum\_N}(\text{skew\_est}) / N$$

# PDV

$$\text{PDV\_max} = (\text{max\_T(OWD)} - \text{E\_T(OWD)})$$

or

$$\text{PDV\_min} = (\text{min\_T(OWD)} - \text{E\_T(OWD)})$$

for grouping average over N intervals:

$$\text{E\_N(PDV)} = \text{sum\_N(PDV)} / N$$



# Freq\_est

$\text{freq\_est} = \text{number\_of\_crossings} / N$

where

a *crossing* is  $E\_T(\text{OWD})$  that crosses the  $E\_N(E\_T(\text{OWD}))$  extending a further  $p\_v * E\_N(\text{PDV})$ . (incrementally calculated every T)

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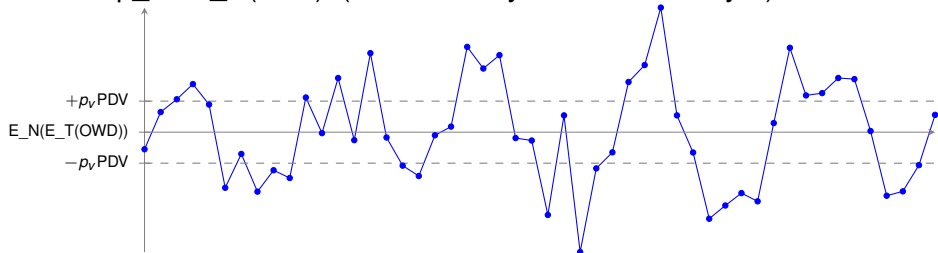
a *crossing* is  $E\_T(\text{OWD})$  that crosses the  $E\_M(E\_T(\text{OWD}))$  extending a further  $p\_v * E\_N(\text{PDV})$ . (incrementally calculated every T)

# Freq\_est

$$\text{freq\_est} = \text{number\_of\_crossings} / N$$

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a *crossing* is  $E_T(\text{OWD})$  that crosses the  $E_N(E_T(\text{OWD}))$  extending a further  $p_v * E_N(\text{PDV})$ . (incrementally calculated every  $T$ )

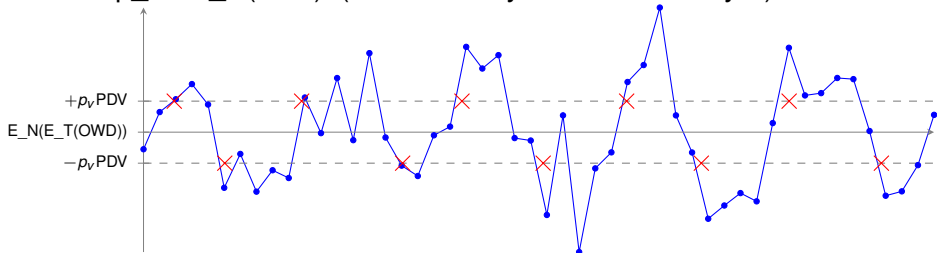


# Freq\_est

$$\text{freq\_est} = \text{number\_of\_crossings} / N$$

where

a *crossing* is  $E_T(\text{OWD})$  that crosses the  $E_N(E_T(\text{OWD}))$  extending a further  $p_v * E_N(\text{PDV})$ . (incrementally calculated every  $T$ )



►  $\text{freq\_est} = 10/50 = 0.2$

# Flow grouping

- ▶ Simple example algorithm given.
  - ▶ sufficient for RMCAT
  - ▶ not required to be common
- ▶ Basic algorithm:
  - ▶ Group flows experiencing congestion (based on skew\_est)
    - ▶ are summary statistics strong enough to be grouped?
    - ▶ use of hysteresis
  - ▶ divide based on freq\_est
  - ▶ divide based on PDV
  - ▶ divide based on skew\_est

# Some example results using the algorithm

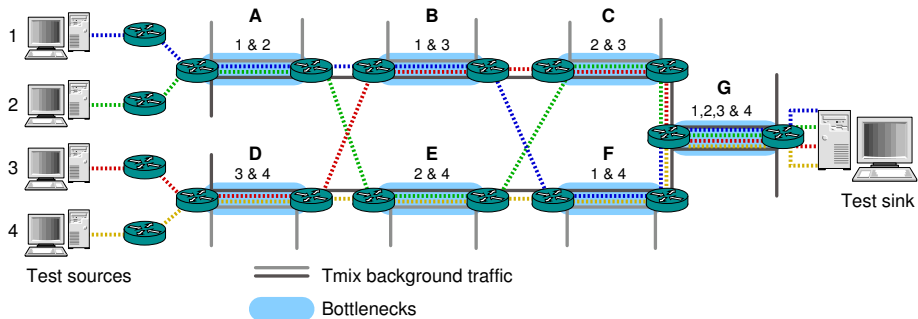
## Simulation results

- ▶ Skew\_est
  - ▶ relation to congestion
  - ▶ hysteresis
- ▶ Varying path delays

## Network results

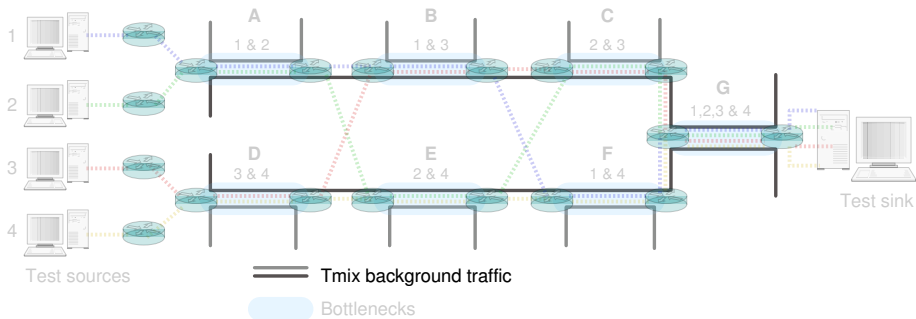
- ▶ Nornet (<https://www.nntb.no/>)
- ▶ Same SBD parameter settings as simulations

# Simulation setup



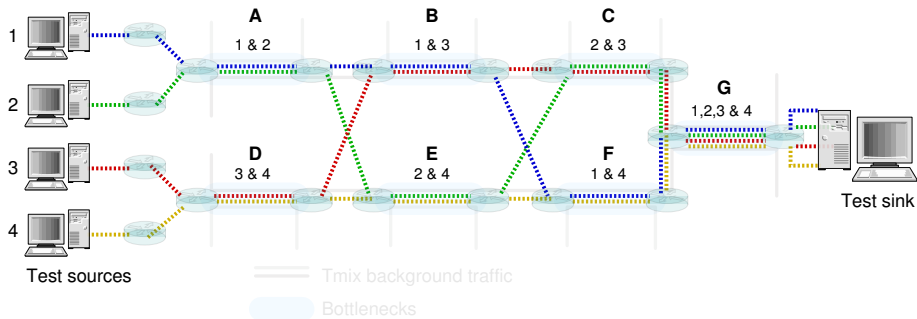


# Simulation setup



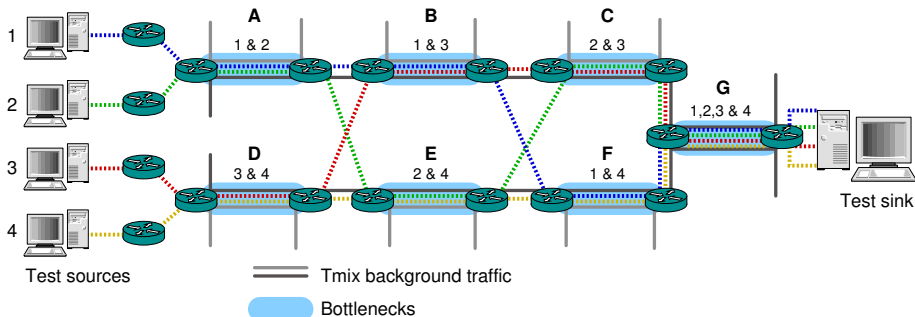
- ▶ Background traffic based on real traffic traces
  - ▶ > 90%

# Simulation setup

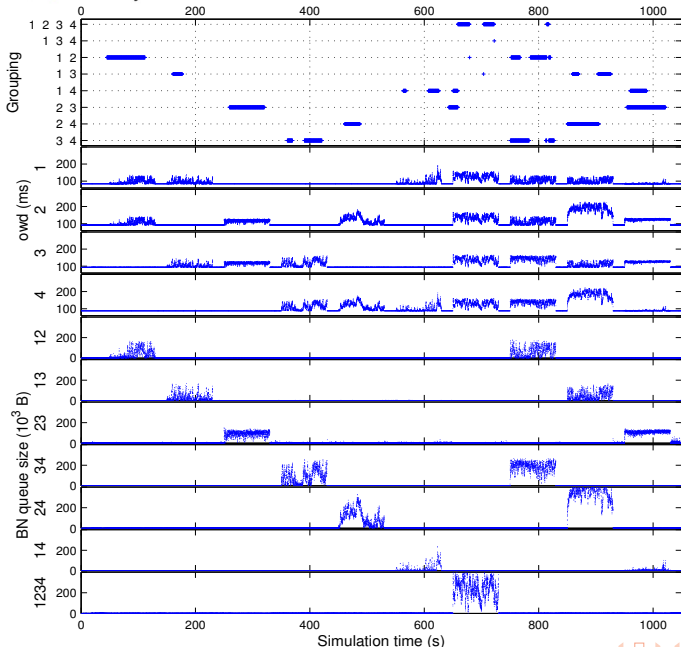


- ▶ Background traffic based on real traffic traces
  - ▶ > 90%
- ▶ Flows 1 & 2 send at twice the rate of 3 & 4

# Simulation setup



- ▶ Background traffic based on real traffic traces
  - ▶ > 90%
- ▶ Flows 1 & 2 send at twice the rate of 3 & 4
- ▶ Various combinations of bottlenecks activated



## Simulation

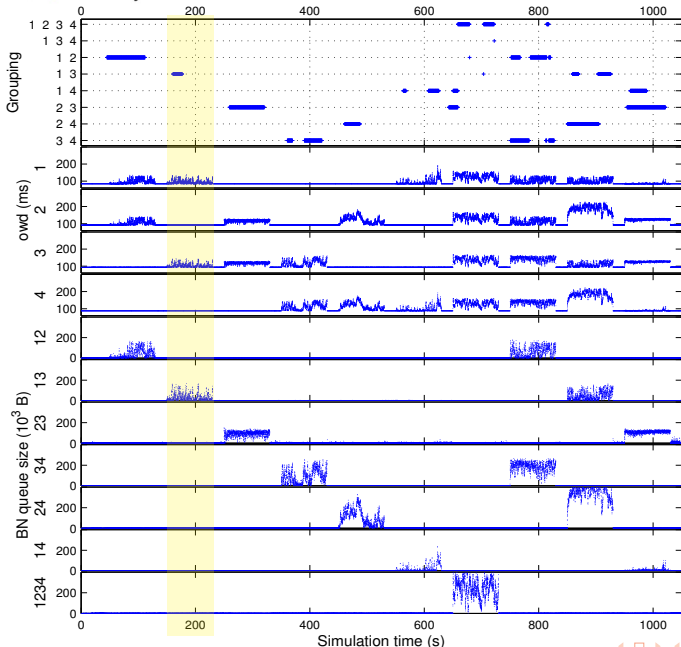
(Queue sizes  
subsampled (1:200)  
and OWDs (1:10))

## Exploring Skew\_est and congestion

$C_s = 0.0$   
cong/noncong  
skew\_est test

## Path delays ms

link 10ms std 2.0  
86.2, 92.1, 93.6, 87.4



## Simulation

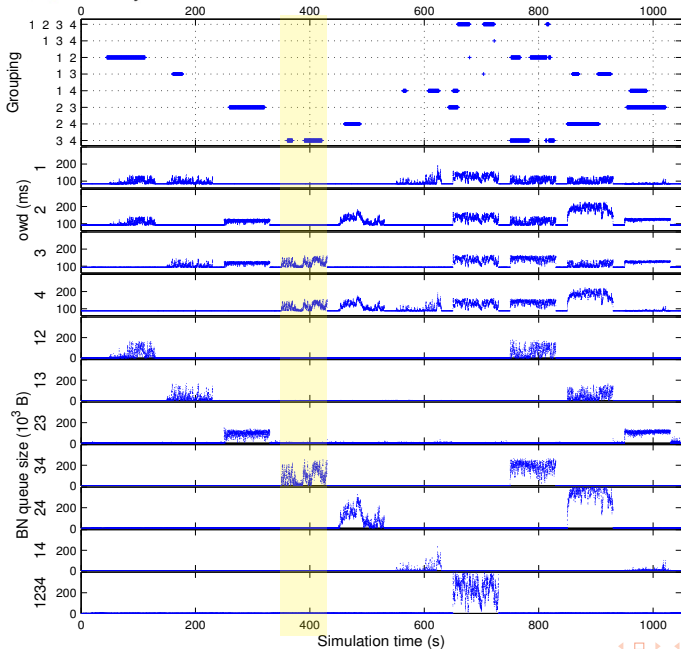
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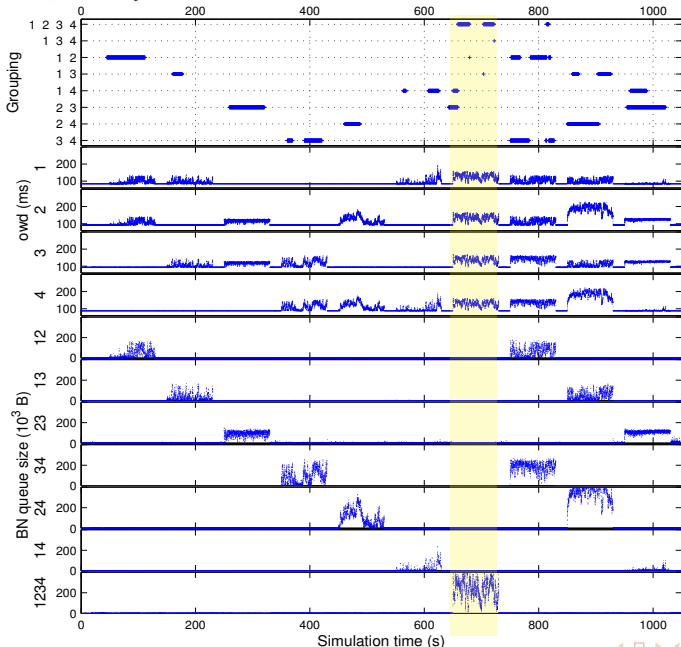
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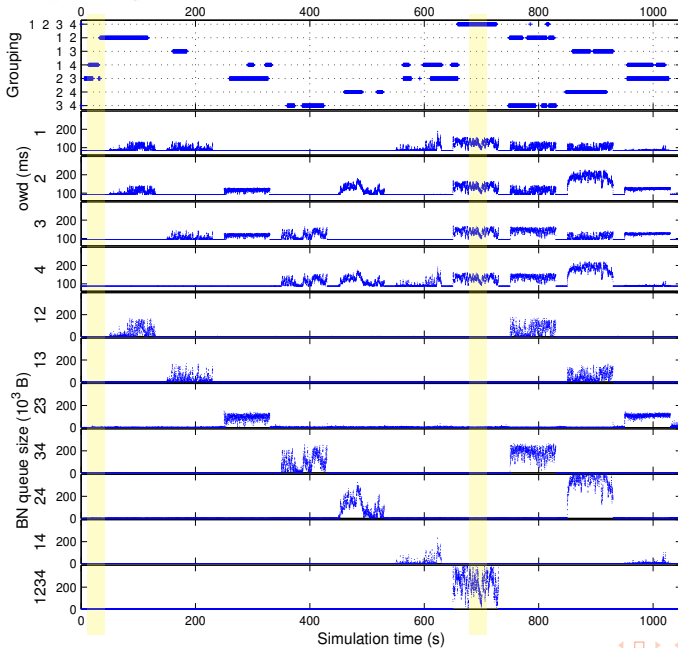
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## Exploring Skew\_est and congestion

$C_s = 0.0$   
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skew\_est test

## Path delays ms

link 10ms std 2.0  
86.2, 92.1, 93.6, 87.4

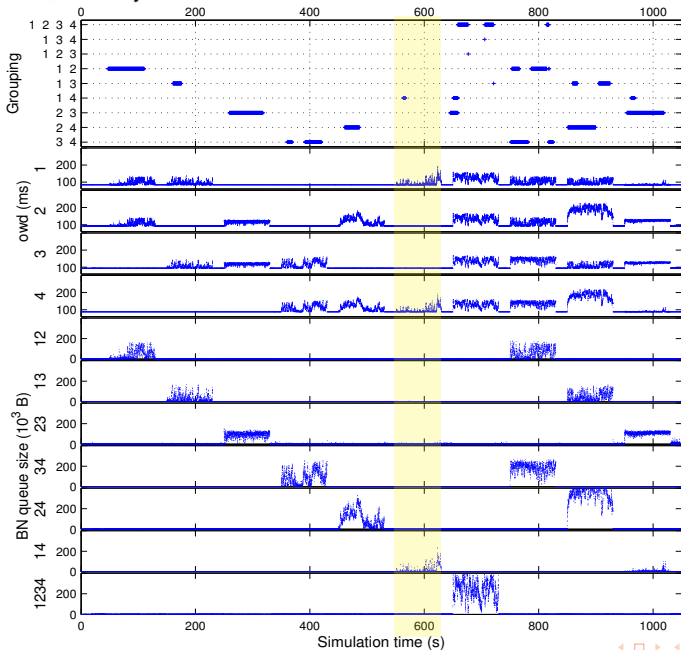


**Simulation**  
 (Queue sizes subsampled (1:200) and OWDs (1:10))

**Exploring Skew\_est and congestion**  
 $C_s = 0.3$   
 cong/noncong skew\_est test

**Path delays ms**  
 link 10ms std 2.0  
 86.2, 92.1, 93.6, 87.4





## Simulation

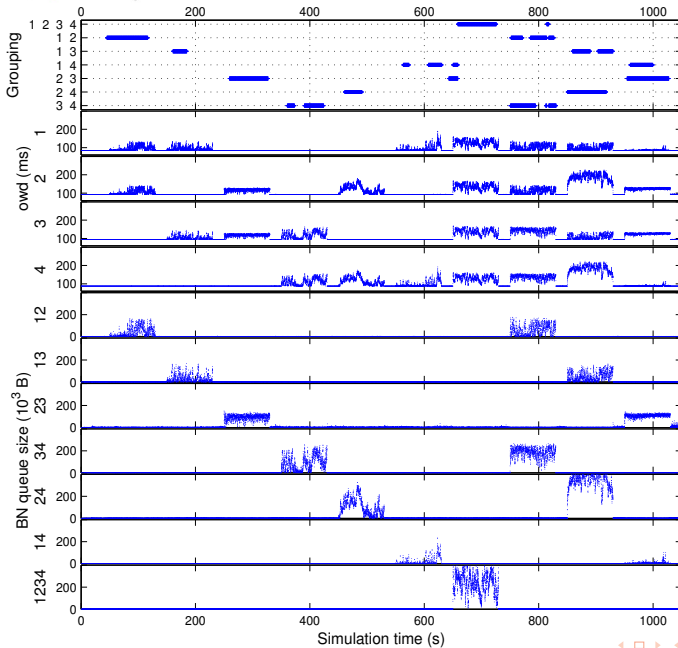
(Queue sizes subsampled (1:200) and OWDs (1:10))

## Exploring Skew\_est and congestion

$C_s = -0.1$   
cong/noncong  
skew\_est test

## Path delays ms

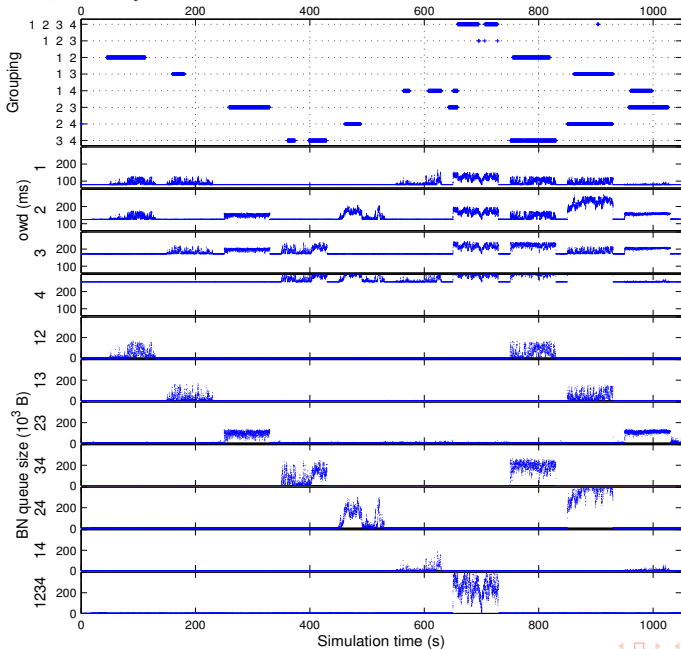
link 10ms std 2.0  
86.2, 92.1, 93.6, 87.4



**Simulation**  
 (Queue sizes subsampled (1:200) and OWDs (1:10))

**Exploring Skew\_est and congestion**  
 $C_s = 0.0$ ,  
 $C_h = 0.3$   
 cong/noncong  
 skew\_est test

**Path delays ms**  
 link 10ms std 2.0  
 86.2, 92.1, 93.6, 87.4



## Simulation

(Queue sizes subsampled (1:200) and OWDs (1:10))

## Exploring Skew\_est and congestion

$C_s = 0.0$ ,  
 $C_h = 0.3$   
 cong/noncong  
 skew\_est test

## Path delays ms

78.6, 125.1,  
 171.7, 256.1

# Real network experiments

## Bottleneck “ground truth”

- ▶ cannot be known with 100 % certainty.
- ▶ Find thinnest shared link
  - ▶ STAB and traceroute
- ▶ Load link with distant Internet sources to create bottleneck

# Real network experiments

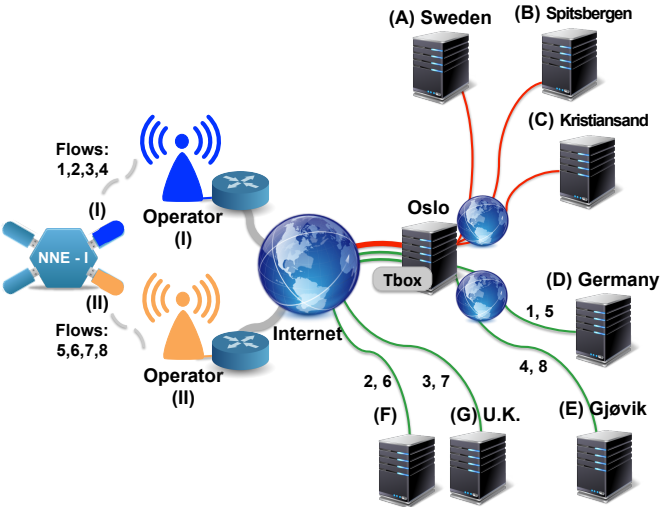
## Bottleneck “ground truth”

- ▶ cannot be known with 100 % certainty.
- ▶ Find thinnest shared link
  - ▶ STAB and traceroute
- ▶ Load link with distant Internet sources to create bottleneck

## What are we testing?

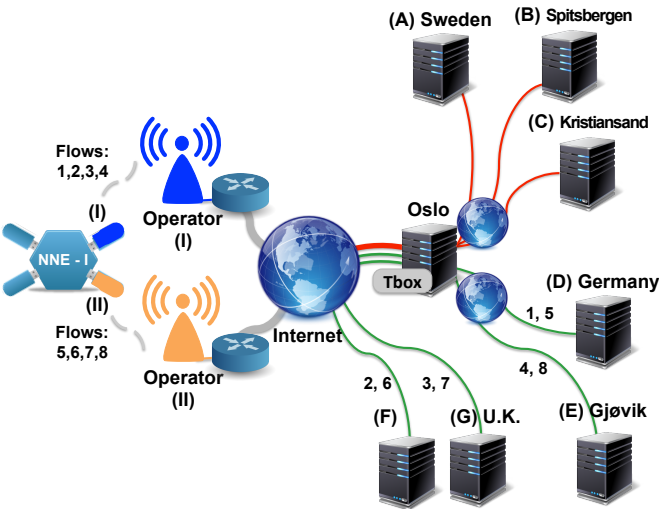
- ▶ Robustness in unpredictable “real” environments

# Real network experiments with NORNET



<https://www.nntb.no/>

# Real network experiments with NORNET

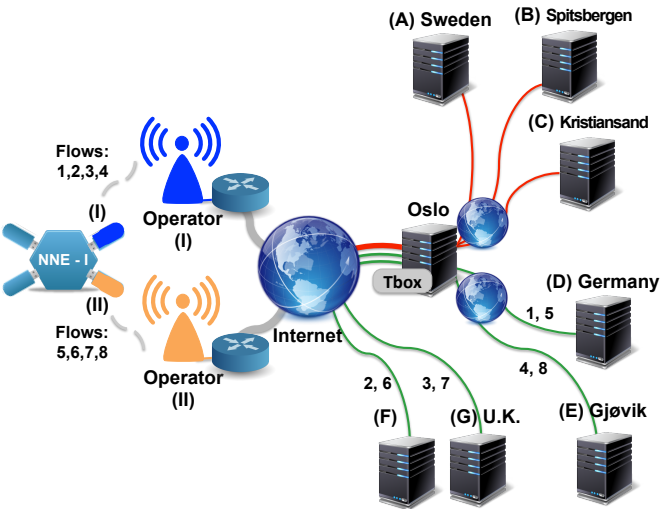


**Background Traffic**

- ▶ A Exponential
- ▶ B & C LRD (Hurst=0.8)
- ▶ Bottlenecks mostly on 3G link
- ▶ majority

<https://www.nntb.no/>

# Real network experiments with NORNET



## Background Traffic

- ▶ A Exponential
- ▶ B & C LRD (Hurst=0.8)
- ▶ Bottlenecks mostly on 3G link
- ▶ majority

## Application Traffic

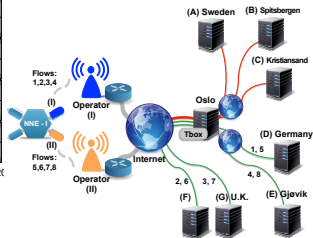
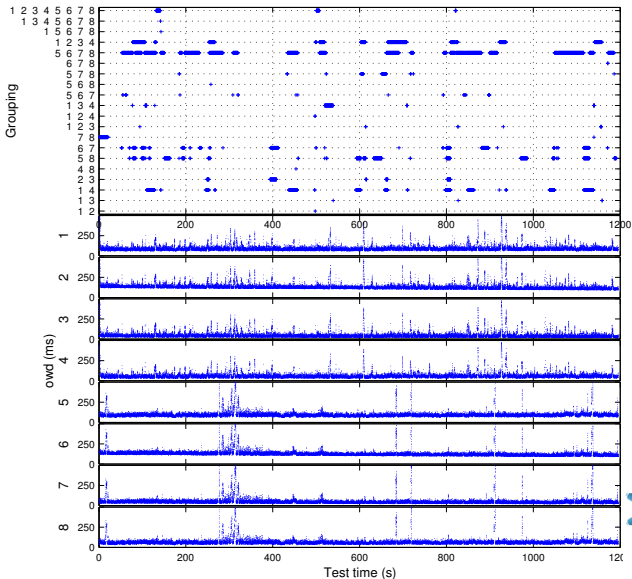
- ▶ D, E, & F exp.
- ▶ G CBR
- ▶ minority (< 10%)

<https://www.nntb.no/>



## NorNet results

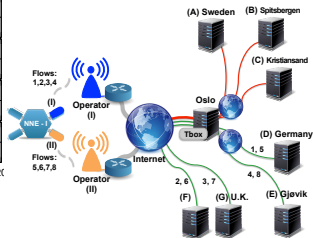
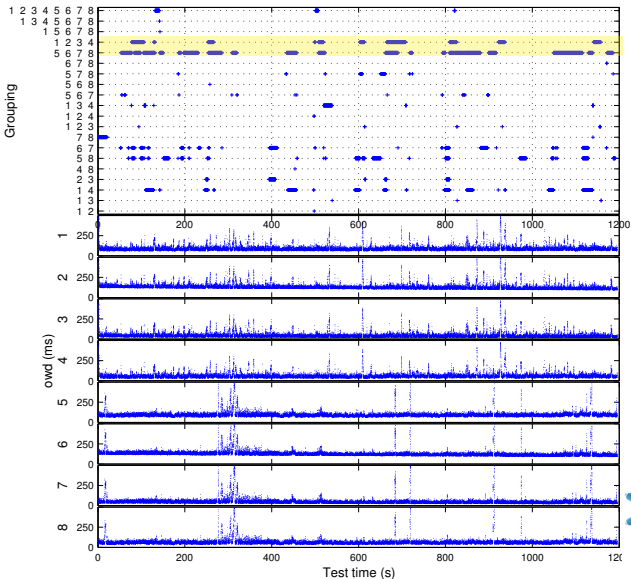
- ▶ Very different network
- ▶ Same SBD param. settings
- ▶ 247 possible non-single grouping arrangements

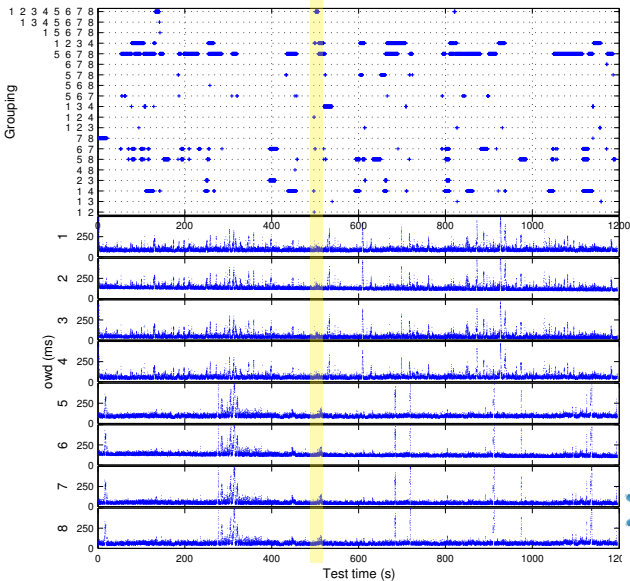


## NorNet results

- ▶ Very different network
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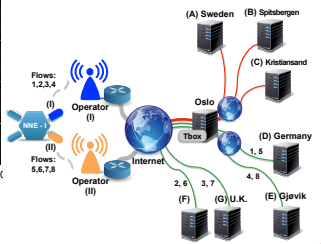
- ▶ Transitory BNs
- ▶ Correct during cong.
- ▶ Pkts traverse Internet





- ### NorNet results
- ▶ Very different network
  - ▶ Same SBD param. settings
  - ▶ 247 possible non-single grouping arrangements

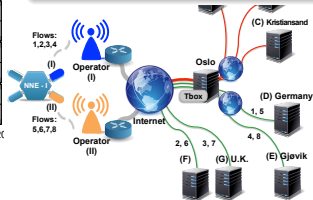
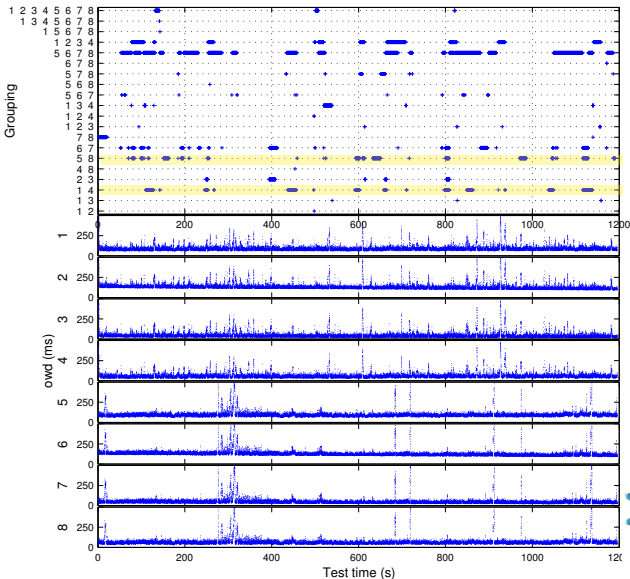
3G links sharing a common disturbance



## NorNet results

- ▶ Very different network
- ▶ Same SBD param. settings
- ▶ 247 possible non-single grouping arrangements

- ▶ 1,4,5,& 8 share Tbox
  - ▶ occasionally a BN
- ▶ 1 & 4 share 3G link I
- ▶ 5 & 8 share 3G link II



# Conclusions and plans

- ▶ Define sender receiver interaction
- ▶ Evaluate the effect of time resolution
- ▶ Extend tests to wifi
- ▶ Journal
  - ▶ algorithm refinements
  - ▶ quantitative tests

## Acknowledgements

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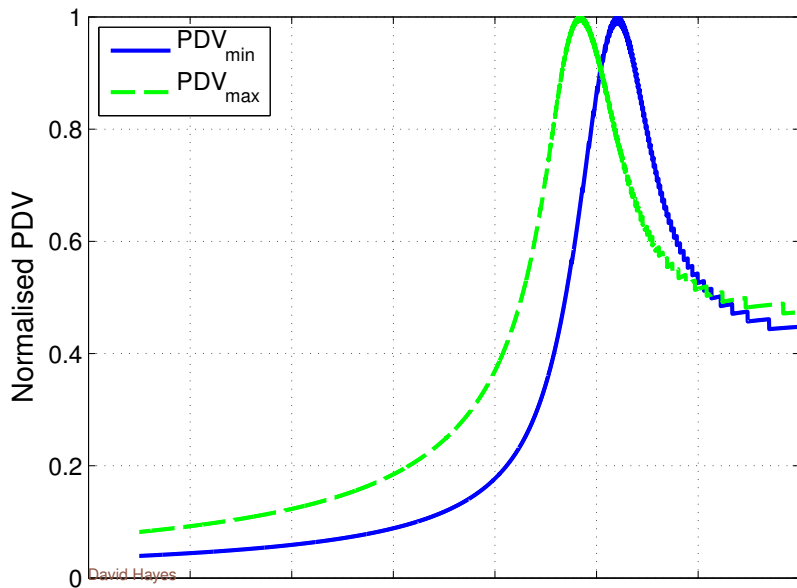


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## Extra slides



# MM1K PDV



# MM1K skew\_est

