Dynamic MultiPath Routing

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Motivation

• Internet Traffic is growing

New applications and services added constantly

- Network Throughput must be maximized
 - Multipath Routing could use more elasticity
 - Manage congestion effectively
 - Address fair allocation of resources
 - Preventing bottlenecks

Multipath Routing

- ECMP and MPTCP
 - Choice of paths independent of dynamic network conditions
 - ECMP
 - only equal cost paths
 - MPTCP
 - predetermined set of paths
 - not Pareto-Optimal

Dynamic Multipath Routing

- Dynamic Multipath Routing
 - New paths discovered dynamically
 - Improved Throughput
 - Congestion Management
 - Fairness amongst different source-destination pairs

Two Methods

- First Method: Congestion Control
 - Dynamic Re-Routing of Flows based on network conditions
- Second Method: Congestion Control with Fairness
 - Dynamic Re-routing of Flows based on network conditions
 - Fairness Enforcement
- Both Methods use
 - Additive Increase
 - Multiplicative Decrease
 - Combination of source routing and Link-State routing (OSPF)
 - Link-State Advertisements with queuing delay and queue occupancy

Method 1 (Congestion Control)

- Congestion Control
 - Based on congestion of a path's links
 - Expressed as variable $b_i = [0,1]$
- Flow on Path i at time t:
 - Multiplicative Decrease based on congestion
 - $x_i(t) = (1-b_i)*x_i(t-T)$ [T=cycle time]
 - Shortest Path based on link delay
 - If Shortest Path is new, add to path list
 - Additive Increase on shortest path [to achieve and maintain demand]
 - $x_i(t) = a + (1-b_i)*x_i(t-T)$

Method 2 (Congestion Control with Fairness)

- Congestion Control and Fairness Function
 - Expressed as function $b_i = PBQ PBF$
 - PBQ as b_i in Method 1

- PBF = 1 -
$$\frac{Total Flow}{\gamma * Demand}$$
 [γ = fairness coefficient]

- Flow on Path i at time t:
 - $x_i(t) = (1-b_i)^* x_i(t-T)$
 - Shortest Path based on link delay
 - If Shortest Path is new, add to path list
 - Additive Increase on Shortest Path [to achieve and maintain demand]
 - $x_i(t) = a + (1-b_i)*x_i(t-T)$

Implementation Details

- Both methods use factor b_i for flow control, but calculation is different
 - Method 1: b_i based on link queue occupancy
 - Method 2: b_i combination of method 1 and fairness factor
- Factor a is a unit of flow increase (integer)
- Source Routing using Nix-Vector Routing (NS-3)
- Shortest paths found using OSPF (NS-3) with some modifications
 - Link Cost = queuing delay
 - Queue occupancy of O/G link added to LSA
- Simulations:
 - multiple users starting at random times
 - background traffic

NS3 Simulations I



NS3 Simulations II



NS3 Simulations III



NS3 Simulations IV



Conclusion

- Improved Throughput
- Improved Fairness
- Further studies needed
 - Total Network Throughput
 - Reduce number of paths
 - Packet acknowledgement
 - Best method for Source Routing