

Interim LSR meeting

May 30, 2019

Issues discussed at Prague

- LANs in the FT: LANs can be in the FT. In centralized mode, if a LAN (pseudonode) is included, then all nodes on that pseudonode are on the FT through the LAN. In distributed mode, more selective flooding is optional.
- Temporary additions: Agreed that nodes should rate limit temporary additions to the FT. Too slow, we impact convergence. Too fast, we risk cascade failure.

Other changes since Prague

- Advertising the FT: We've added a bit in the Link Attributes sub-TLV (IS-IS) and added a Link Attributes TLV to OSPF. This is taken from draft-cc-lsr-flooding-reduction's FT bit.
- Bug fix: In the Flooding Request TLV in an IIH, we listed a field as CircuitType. This was confusing. It's a bit mask of the levels that are requesting flooding. It should be a subset of the Circuit Type.

Temporary additions vs. Backup Paths

- Problems we're addressing:
 - If a new node is added to the topology, it is not on the Flooding Topology (FT). How does its LSP/LSA get flooded?
 - If we have multiple failures, the FT may partition. How do we recover?

Temporary addition algorithm

On each node, in parallel:

On a topology change:

For each adjacency:

Is there a path to the adjacent node via the flooding topology?

If not, add it to a set of candidates.

While the set of candidates is not empty:

Remove one candidate from the set.

Temporarily add it to the flooding topology

Delay (amount is implementation defined)

If there has been another topology change:

Clear the candidate set

Restart the algorithm

Benefits of the algorithm

- Guaranteed to converge. Each iteration adds links to the FT.
 - Converges in the face of arbitrary failures, including multiple partitions.
- Does not rely on stale information. Information required is the FT and LSDB for the local partition.
 - If multiple repairs are necessary, leverages updated information as it's learned.
 - No reliance on knowing what links failed or LSDB prior to failure.
- Computationally cheap. Partition check is $O(n)$. Evaluating adjacencies is $O(n)$.
- Right trade off: gives both stability and convergence.
- Implemented. Works in the lab.

Downsides of the algorithm

- Does not necessarily enable the minimal number of links for repair. This requires an oracle.
- Does not converge instantly. This also requires an oracle.