

An aerial photograph of a dense forest with a mix of green and autumn-colored trees. A small, irregularly shaped lake with dark blue water is nestled within the forest. In the lower-left quadrant, there is a small clearing with a circular structure and some benches or a small stage area.

# Deterministic ECDSA and EdDSA Signatures with Additional Randomness

draft-mattsson-cfrg-det-sigs-with-noise-02

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# Randomized ECDSA and Deterministic ECDSA and EdDSA Signatures

- Biases in the random number generation for randomized ECDSA [[FIPS-186-4](#)] may have catastrophic effects such as compromise of the private key.
- A large number of RFCs are currently recommending deterministic ECC signatures (Deterministic ECDSA and EdDSA) [[RFC8037](#)] [[RFC8080](#)] [[RFC8152](#)] [[RFC8225](#)] [[RFC8387](#)] [[RFC8410](#)] [[RFC8411](#)] [[RFC8419](#)] [[RFC8420](#)] [[RFC8422](#)] [[RFC8446](#)] [[RFC8463](#)] [[RFC8550](#)] [[RFC8591](#)] [[RFC8624](#)] [[RFC8208](#)] [[RFC8608](#)].
- Recent research show that key compromise from side-channel and fault injection attacks on deterministic ECC signatures are practically feasible in some environments. Especially in IoT deployments.  
[[SH16](#)] [[BP16](#)] [[RP17](#)] [[ABFJLM17](#)] [[SBBDS17](#)] [[PSSLR17](#)] [[SB18](#)] [[WPB19](#)] [[AOTZ19](#)] [[FG19](#)]
- US NIST is discussing these threats in [[Draft-186-5](#)] and German BSI has written and co-authored several publications on the topic.



Industrial IoT device by Kit Teco

[https://www.flickr.com/photos/teco\\_kit/with/23908928999/](https://www.flickr.com/photos/teco_kit/with/23908928999/)

# Deterministic ECDSA and EdDSA Signatures with Additional Randomness

- One countermeasure to side-channel and fault injection attacks recommended by [\[RP17\]](#) [\[ABFJLM17\]](#) [\[SBBDS17\]](#) [\[PSSLR17\]](#) [\[SB18\]](#) [\[AOTZ19\]](#) [\[FG19\]](#) and implemented in [\[XEdDSA\]](#) [\[libSodium\]](#) [\[libHydrogen\]](#) is to re-introduce some additional randomness to the otherwise deterministic generation of the per-message secret number. Also known as hedged signatures.
  - Simple and well understood.
  - Works for both ECDSA and EdDSA.
  - Minor modifications to signing, none to verification.
  - Does not increase the number of point multiplications.
  - With weak randomness, hedged signatures are still as secure as deterministic signatures.



# Suggested Updates to RFC 8032 and RFC 6979

- Many current and future IoT deployments will use ECC signatures, e.g. TLS 1.3 [RFC8446] and COSE [RFC8152].
- IETF / IRTF should quickly publish updated recommendation for use of ECC signatures in deployments where side-channel and fault injection attacks are a concern.
- Is CFRG the right place?
- Version -02 updates the construction and terminology based on suggestions from Quynh Dang, Uri Blumenthal, and Tony Arcieri.
  - Concatenation with Z instead of XOR.
  - Random data Z inserted before the private key.
  - Use of zero padding 000... to separate key and message.
- Recommended for some or all deployments?
- Any other improvements to the construction?
  - Length of random data Z?

## 2. Updates to [RFC 8032](#) (EdDSA)

For Ed25519ph, Ed25519ctx, and Ed25519: In deployments where side-channel and fault injection attacks are a concern, the following step is RECOMMENDED instead of step (2) in [Section 5.1.6 of \[RFC8032\]](#):

2. Compute  $\text{SHA-512}(\text{dom2}(\text{F}, \text{C}) || \text{Z} || \text{prefix} || \text{000...} || \text{PH}(\text{M}))$ , where M is the message to be signed, Z is 32 octets of random data, the number of zeroes 000... is chosen so that the length of  $(\text{dom2}(\text{F}, \text{C}) || \text{Z} || \text{prefix} || \text{000...})$  is 1024 bytes. Interpret the 64-octet digest as a little-endian integer r.

## 3. Updates to [RFC 6979](#) (Deterministic ECDSA)

For Deterministic ECDSA: In existing ECDSA deployments where side-channel and fault injection attacks are a concern, the following steps are RECOMMENDED instead of steps (d) and (f) in [Section 3.2 of \[RFC6979\]](#):

### d. Set:

$K = \text{HMAC\_K}(V || 0x00 || \text{Z} || \text{int2octets}(x) || \text{000...} || \text{bits2octets}(h1))$  where  $||$  denotes concatenation. In other words, we compute HMAC with key K, over the concatenation of the following, in order: the current value of V, a sequence of eight bits of value 0, random data Z (of the same length as  $\text{int2octets}(x)$ ), the encoding of the (EC)DSA private key x, a sequence of zero bits 000... chosen so that the length of  $(V || 0x00 || \text{Z} || \text{int2octets}(x) || \text{000...})$  is equal to the block size of the hash function